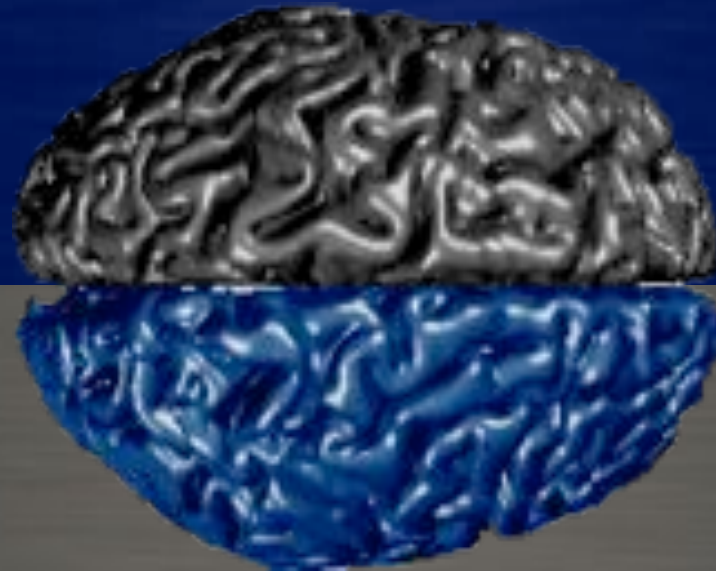


Surface Modeling & Analysis of Structural MRI Data



Rachel A. Yotter

Klinik für Psychiatrie
Friedrich-Schiller-Universität Jena

Outline

Introduction to surface meshes

- Motivation, Advantages

Pre-Processing for Group Analysis

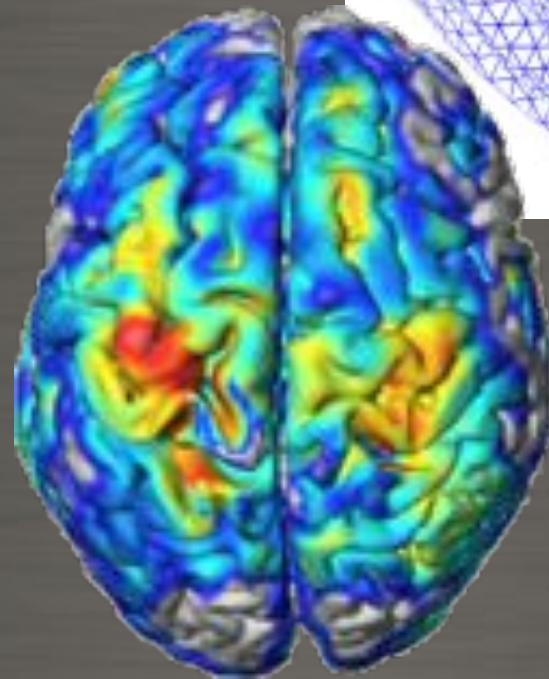
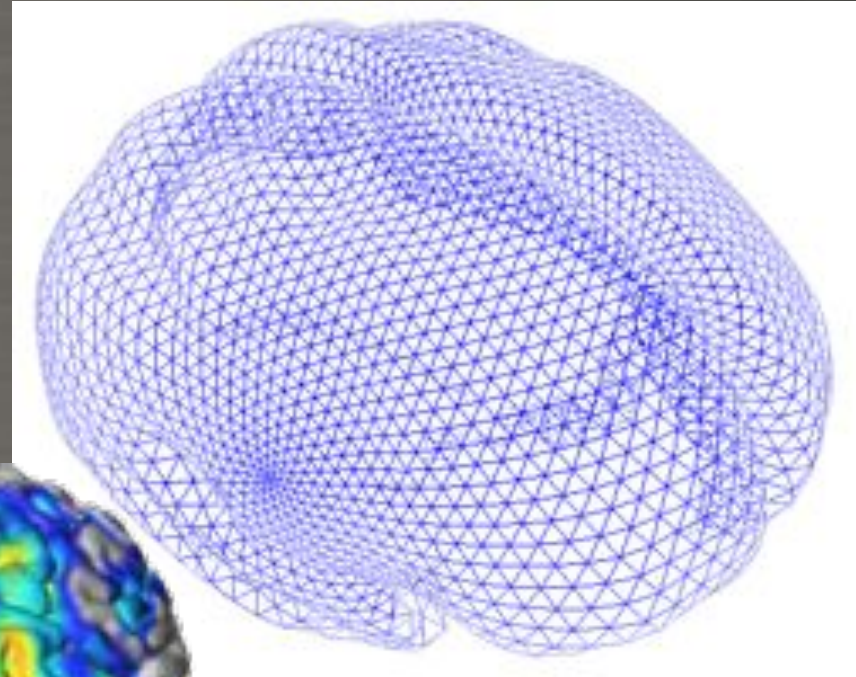
- Volumetric Data → Surface Mesh
- Spherical mapping
- Surface-based registration

Surface Analysis

- Metrics: curvature, thickness, gyrification index, fractal dimension
- Research Highlights

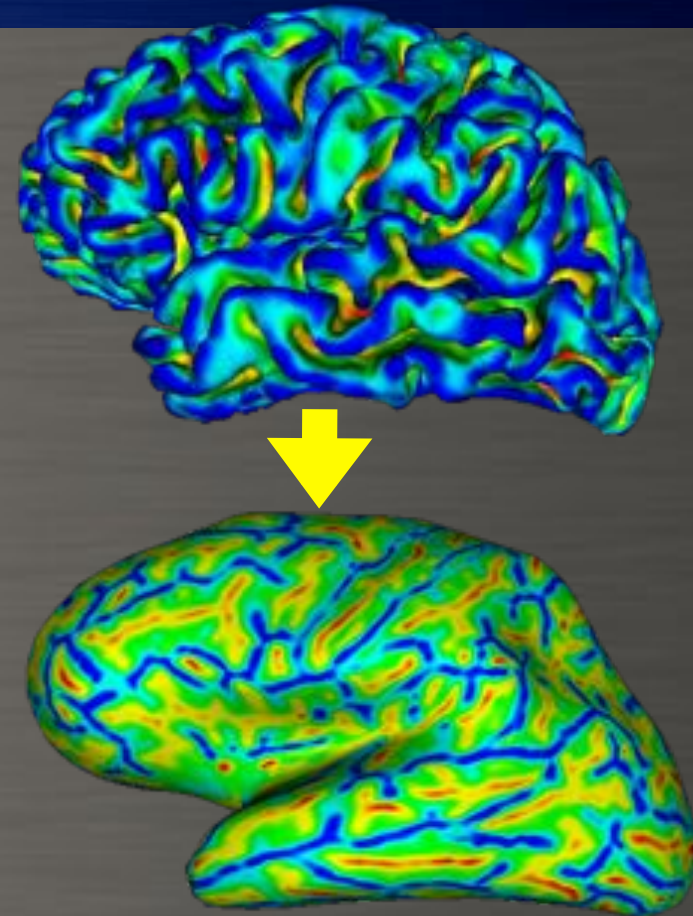
Intro: What is a Cortical Surface Mesh?

- List of triangular polygons
- Allows point-wise analysis



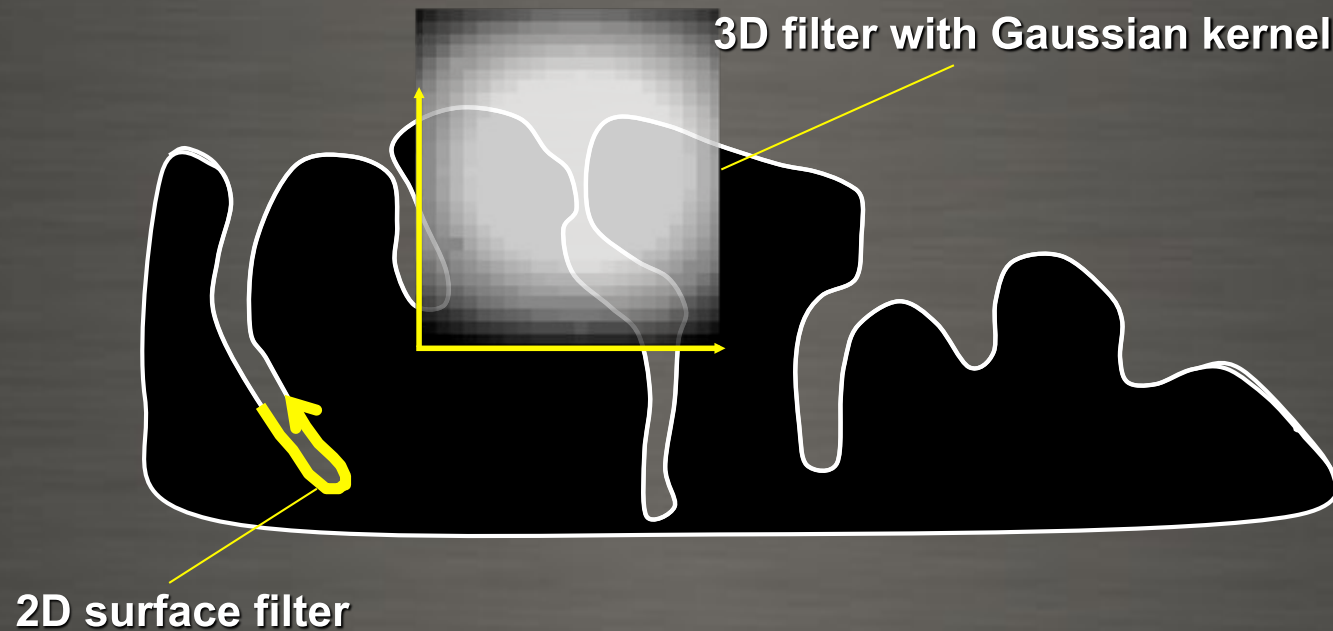
Intro: Motivation & Advantages

- Certain analyses are easier and more accurate
- Visualization
 - Surface maps (* spherical mapping)
 - Inflated surfaces
- More accurate intersubject registration
- New possibilities
 - Normalization
 - Smoothing (* next slide)
 - Surface averaging
 - Curvature
 - Gyrfication index
 - Complexity
 - Spherical harmonic analysis – shape, databases, complexity, etc



Intro: Surface Smoothing

Geodesic distances \gg Euclidean distances



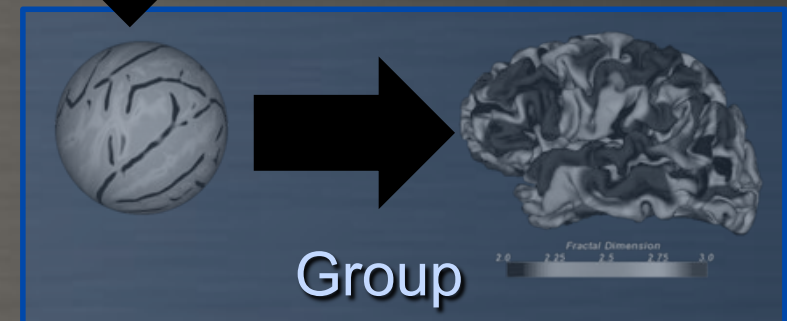
Pre-Processing: Surface Meshes



0. Segmentation

1. Make topologically correct mesh

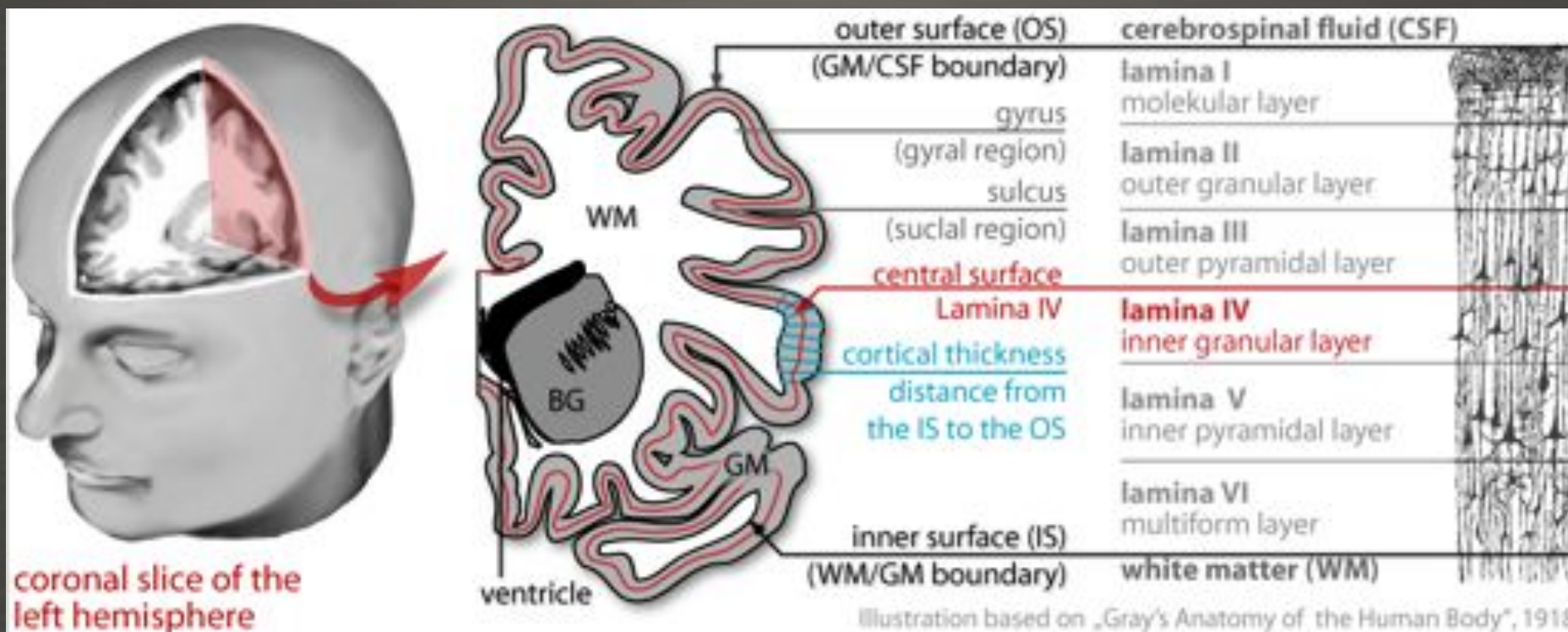
- Homeomorphic with a sphere



Pre-Processing: Building the Surface

Two main approaches

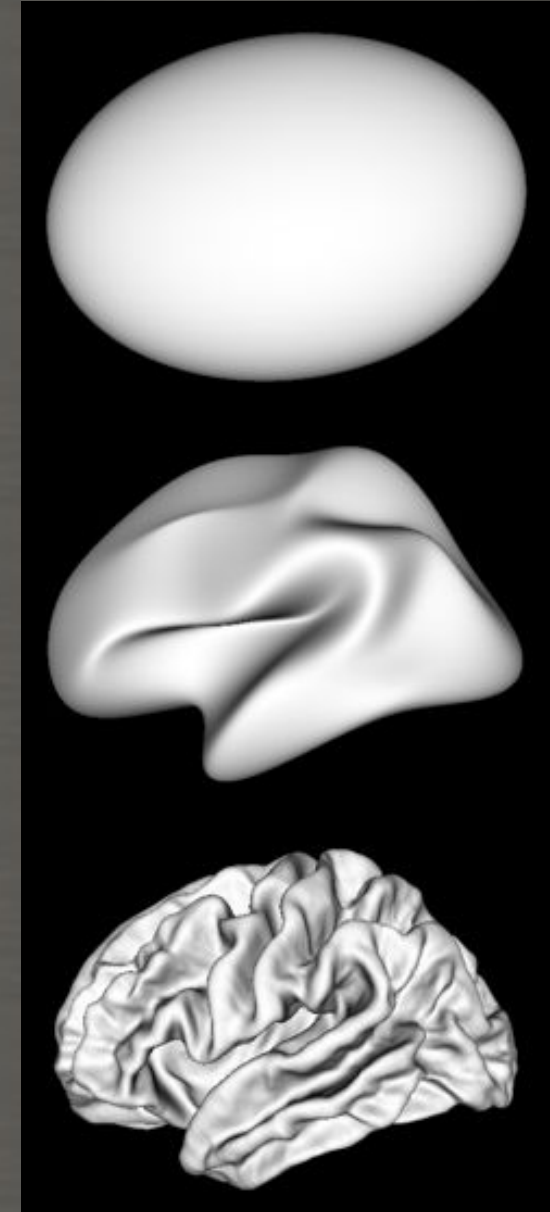
- Deformable Surfaces
- Marching Cubes



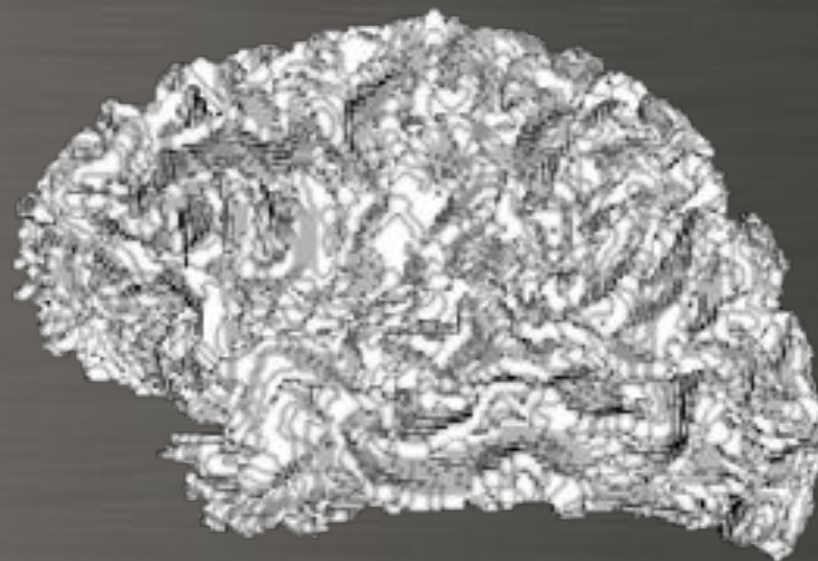
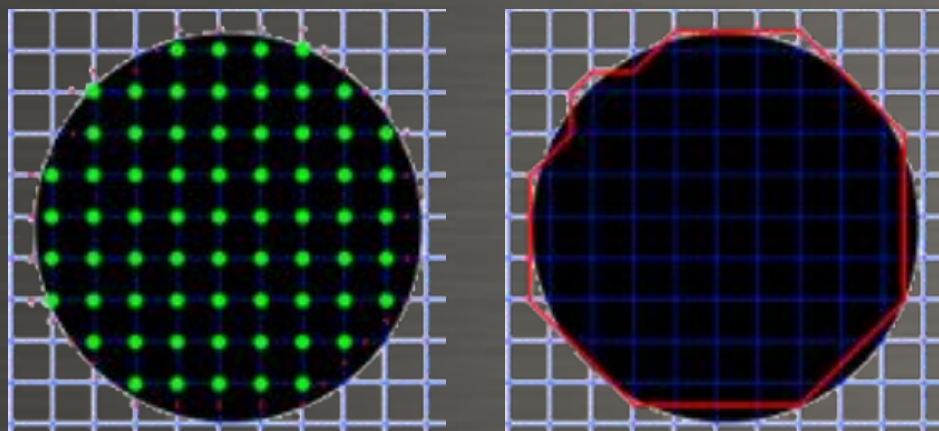
Pre-Processing: Deformable Surfaces

Start with sphere or simple shape, then deform to the GM/WM intensity boundary

- Potential problems:
 - Slow, depending on equation
 - May not reach full sulcal depths
 - Self-intersections possible
- Software: CLASP



Pre-Processing: Marching Cubes



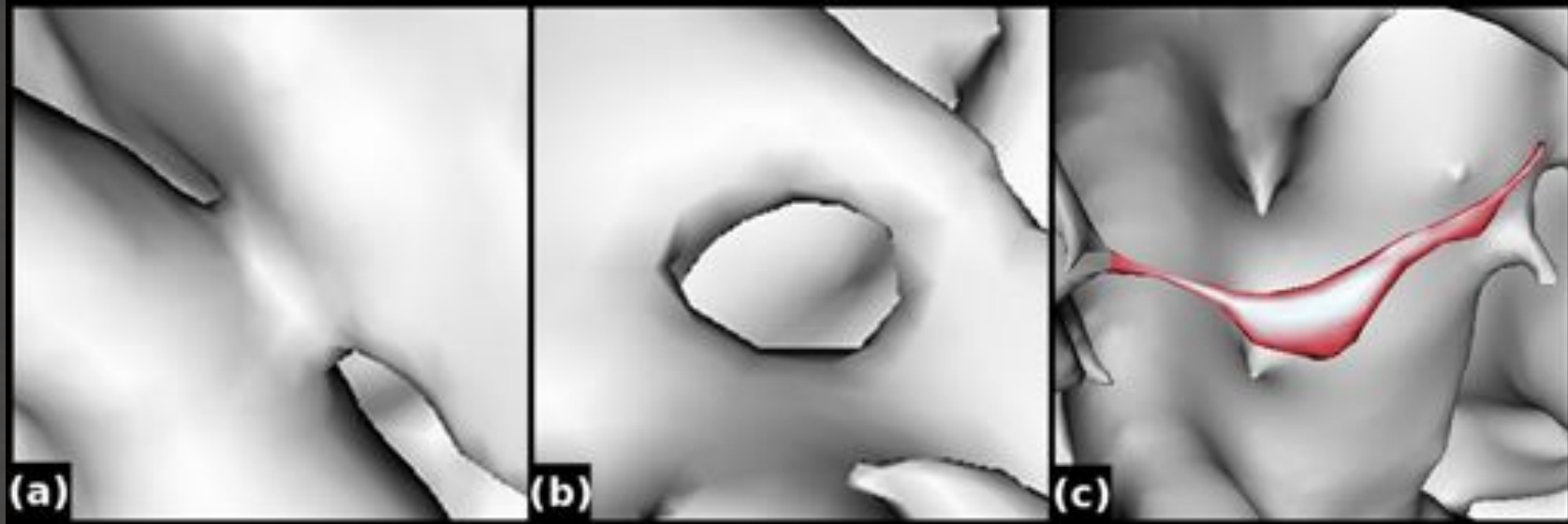
256 possible configurations

15 unique cubes



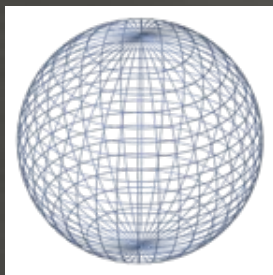
- Preserves geometry, but creates topological defects
- Software: FreeSurfer, CARET, BrainVisa (with modifications)

Pre-Processing: Topological Defects & Artifacts



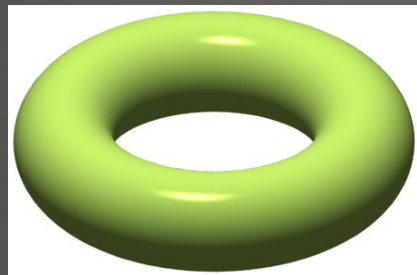
Goal: Euler Characteristic = 2

EC = Vertices - Edges + Faces



Sphere

2



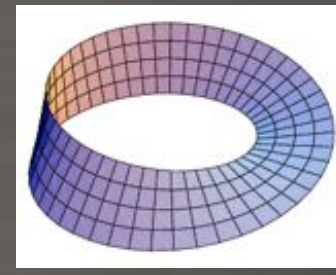
Torus

0



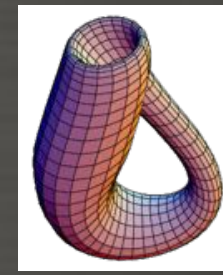
Double
Torus

-2



Möbius Strip

0

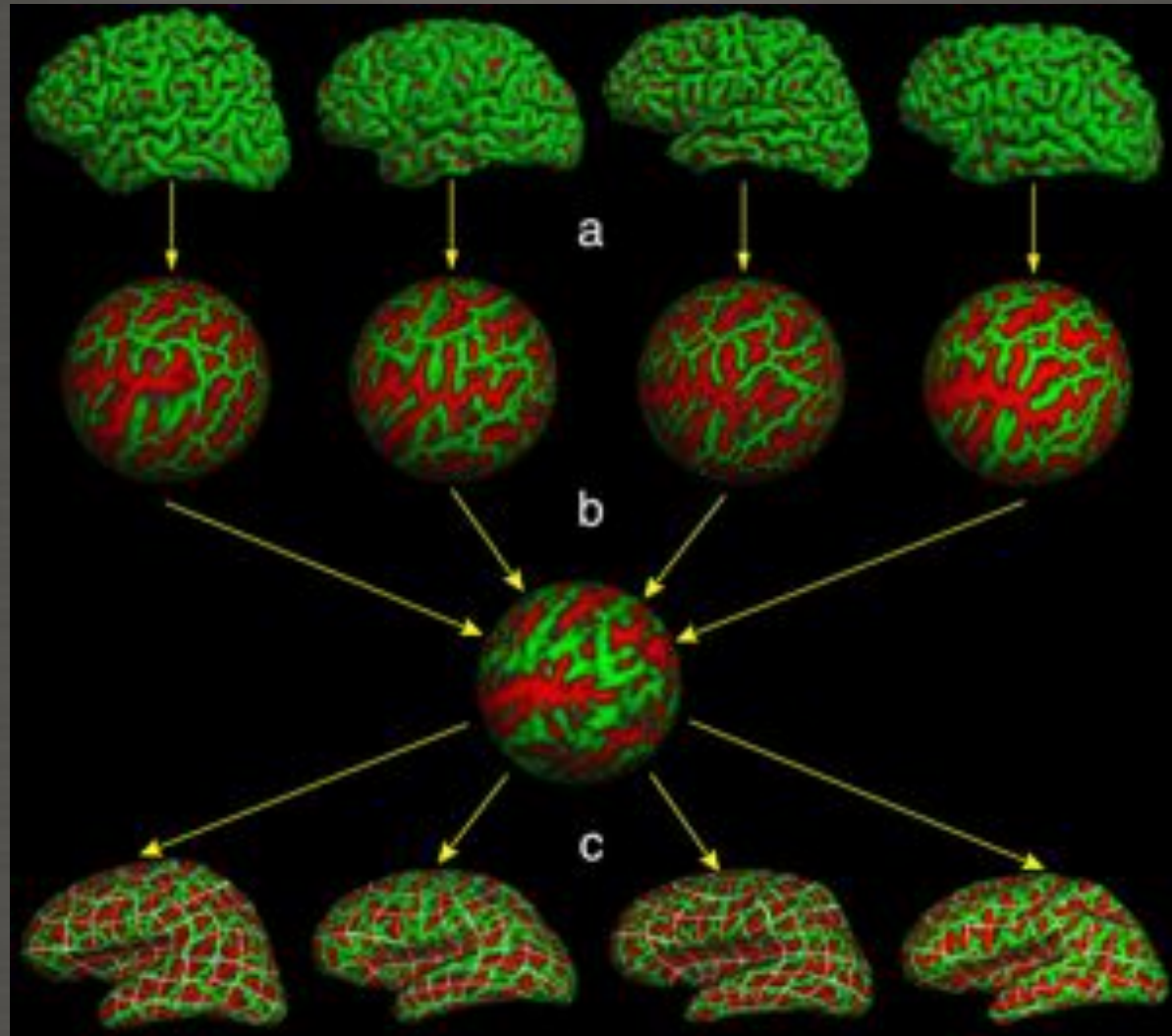


Klein
Bottle

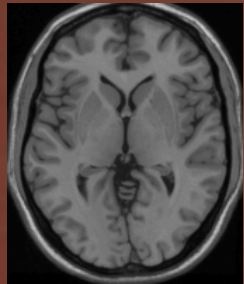
0

Pre-Processing: Spherical Mappings

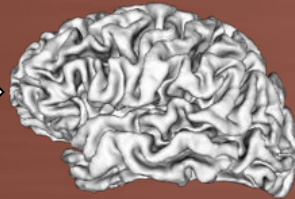
A Surface-Based Coordinate System



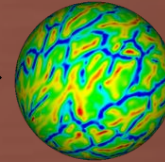
Picture source: <http://surfer.nmr.mgh.harvard.edu/>



Make Mesh,
Fix Topology

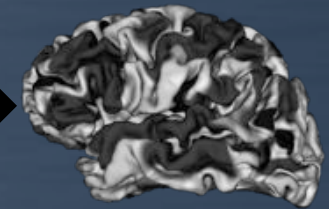


Spherical map



Individual

2. Create a spherical map



Group

Fractal Dimension
2.0 2.25 2.5 2.75 3.0

Pre-Processing: Spherical Mapping

Ideal mapping – Isometric

Conserves polygon areas & angles

Impossible to achieve for brain surfaces

Mapping Strategies

Optimize one metric at the expense of others

A non-linear optimization problem

Angles – a “conformal” mapping; Laplace-Beltrami

Areas – our method

Edge lengths – usually minimize energy function

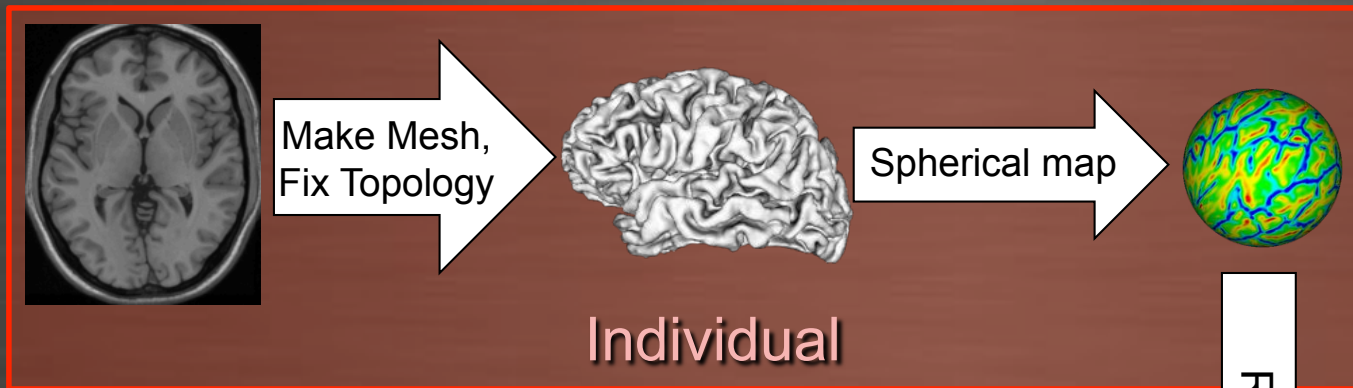


Why does the spherical mapping matter?

Changes re-parameterization quality

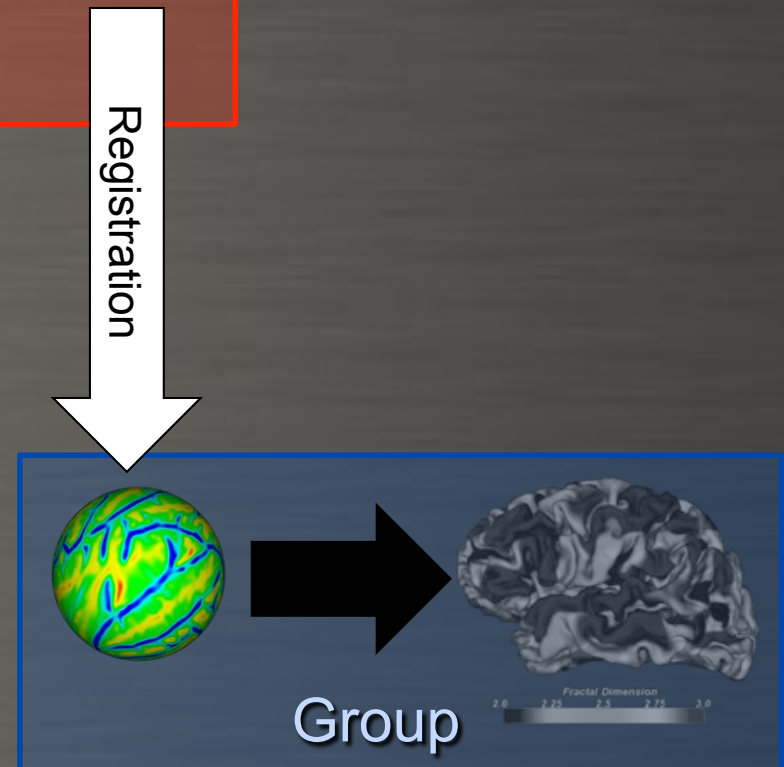
Table S1. Mean distance error and Hausdorff distances for 20 central surface meshes. IC: Isometric Correction; LB: Laplace-Beltrami; S11: Surface Inflation Method #1; S12: Surface Inflation Method #2.

CS	IC	Resolution	Mean Distance Error (μm)		Hausdorff Distance (mm)	
			Forward	Reverse	Forward	Reverse
LB		128	0.02038	426.82	0.000270	6.0328
	✓	128	0.02101	259.42	0.000264	4.1298
		256	0.02040	165.20	0.000368	4.4069
	✓	256	0.02100	91.69	0.000342	2.5390
		512	0.02040	65.53	0.000488	3.3872
	✓	512	0.02095	37.86	0.000447	1.4294
		1024	0.02040	29.13	0.000682	2.7374
	✓	1024	0.02100	18.26	0.000592	0.7993
S11		128	0.02091	359.94	0.000311	7.0888
	✓	128	0.02070	276.59	0.000240	4.2255
		256	0.02090	142.24	0.000352	5.5824
	✓	256	0.02080	96.18	0.000342	2.2132
		512	0.02085	61.29	0.000452	4.0242
	✓	512	0.02085	39.41	0.000479	1.3857
		1024	0.02090	28.76	0.000643	2.6968
	✓	1024	0.02074	18.97	0.000649	0.8308
S12		128	0.02073	283.32	0.000263	3.2064
	✓	128	0.02071	267.63	0.000257	4.0592
		256	0.02075	101.32	0.000371	1.8592
	✓	256	0.02085	94.13	0.000328	2.5713
		512	0.02080	41.45	0.000532	1.2474
	✓	512	0.02080	38.72	0.000418	1.4165
		1024	0.02075	19.84	0.000635	0.7925
	✓	1024	0.02072	18.68	0.000593	0.7781



3. Surface registration and re-parameterization

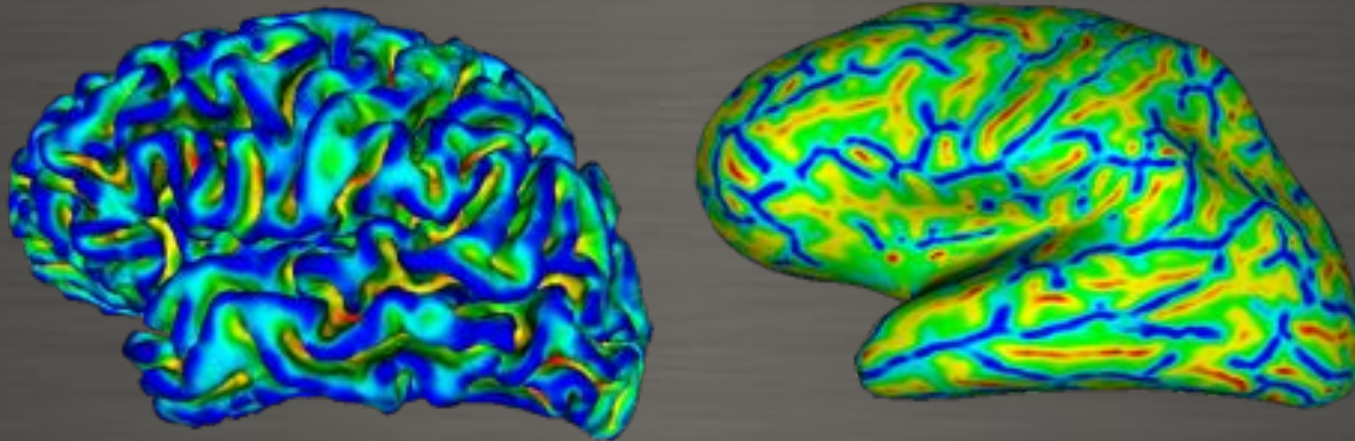
- Re-parameterized points correspond anatomically across subjects



Pre-Processing: Surface Registration

Step 1: Make a map (or maps)

curvature, sulcal depth, ??



Step 2: Rough alignment

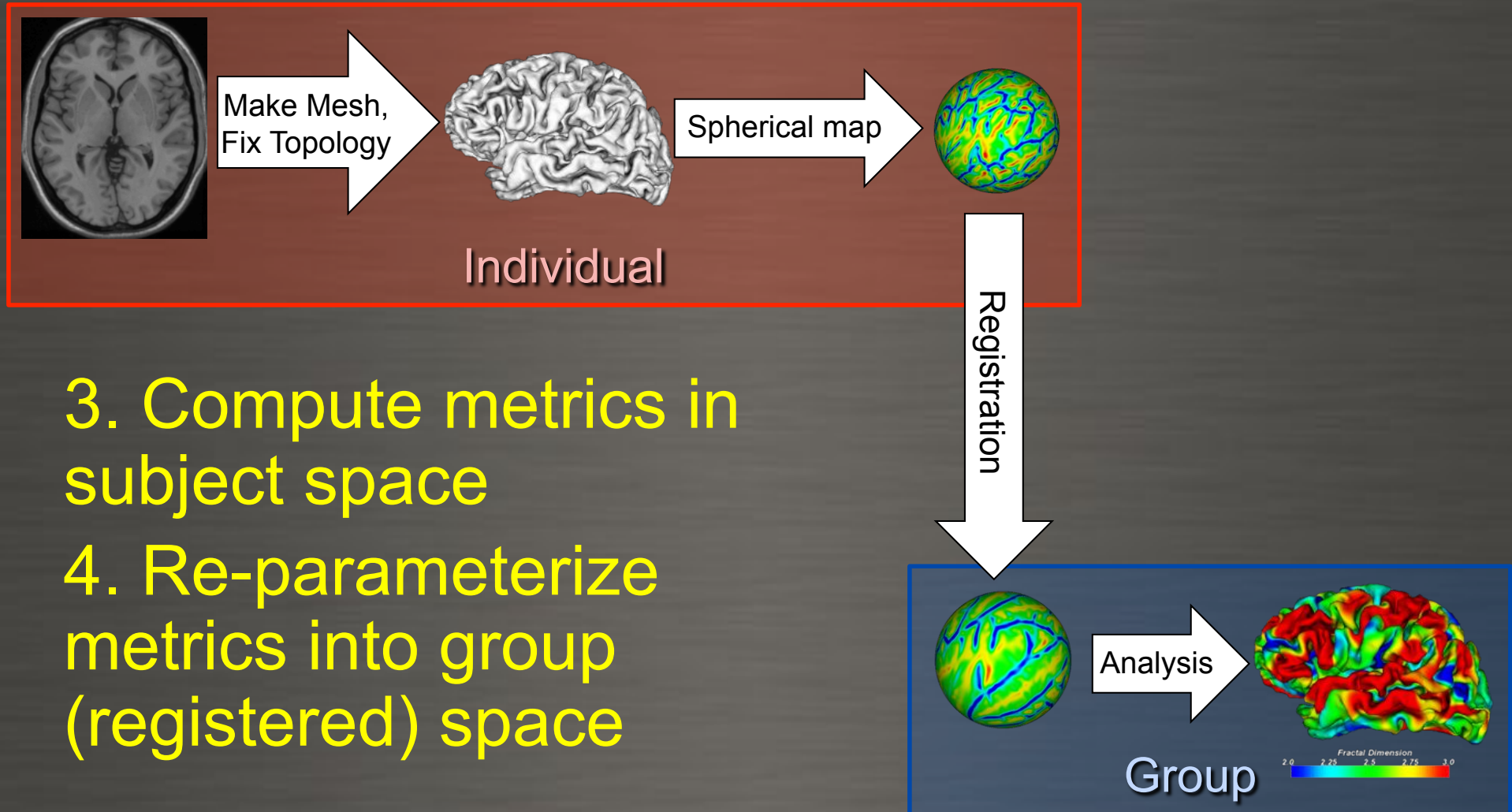
simple rotation, translation, scaling

Pre-Processing: Surface Registration

Step 4: Local alignment to reduce RMS error

- Elastic energy, fluid flow, diffeomorphisms
- Issue: deformations must be constrained to avoid flips

Analysis (Finally!)



Surface-Based Analyses

Curvature

- Measure of convexity and concavity

Cortical Thickness

- Distance between GM/WM and pial surfaces

Gyrification Index

- A measure of convolution

Complexity

- Assume cortical surface is a fractal
- Measure self-similarity

Analyses using surface meshes

Complicated computation – what's the advantage?

Precision advantages:

- ◆ Better localization of fMRI data, at least along sulcal landmarks

New measurements:

- ◆ Cortical thickness, gyrification index, complexity

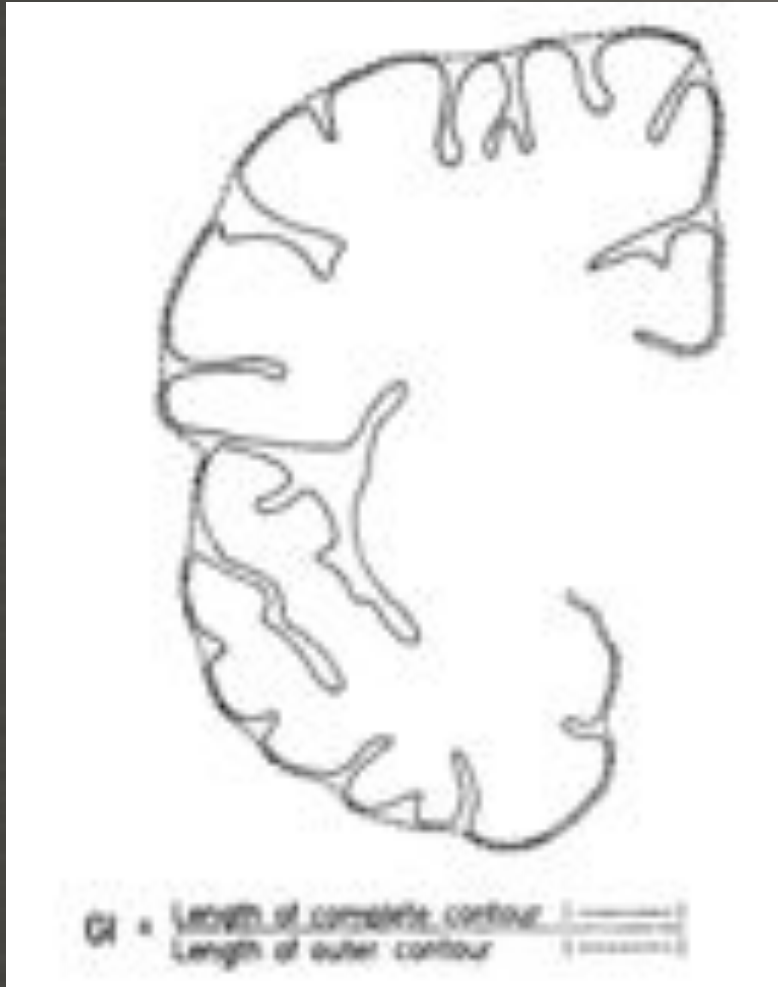
Neuroscience discoveries:

- ◆ Thickness and/or GI differences have been found for several disease states (schizophrenia, autism, Alzheimer's, etc), gender, development & ageing, experience (meditation), and IQ

Research Highlight: Schizophrenia & Gyrification

Gyrification Index

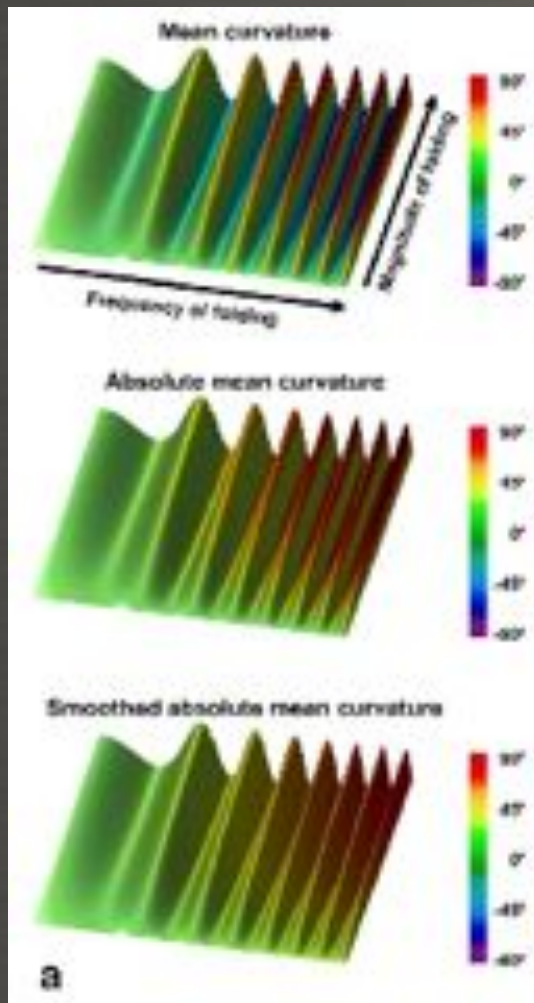
- Ratio of inner surface area to outer surface area
- Initially, measured manually from brain slices (Zilles et al., 1988) → 2D



Research Highlight: Schizophrenia & Gyrification

Surface-Based GI

- Full 3D measurement with ability to estimate local point-wise GI values
- Automatic, fast
- Luders et al., 2006; Shaer et al., 2008; many others



Research Highlight: Schizophrenia & Gyrfication

Issues with Gyrfication Index Measure

- Varying definition of the outer hull
- Often performed in 2D → may depend on slice direction & rater
- Normalization differences, dependence on noise
 - Example: “disorganized” subgroup tends to move more, introducing more noise and potentially increasing GI measure

Conflicting Results

- Findings of GI abnormalities for schizophrenia vary widely (see Yotter et al., 2011)

Research Highlight: Schizophrenia & Fractal Dimension

Potential Solution: Fractal Dimension

- Noise-resistant, no normalization, no outer hull definition
- Use spherical harmonic reconstructions to reduce re-sampling errors from the more standard box-counting approach

What are Spherical Harmonics?

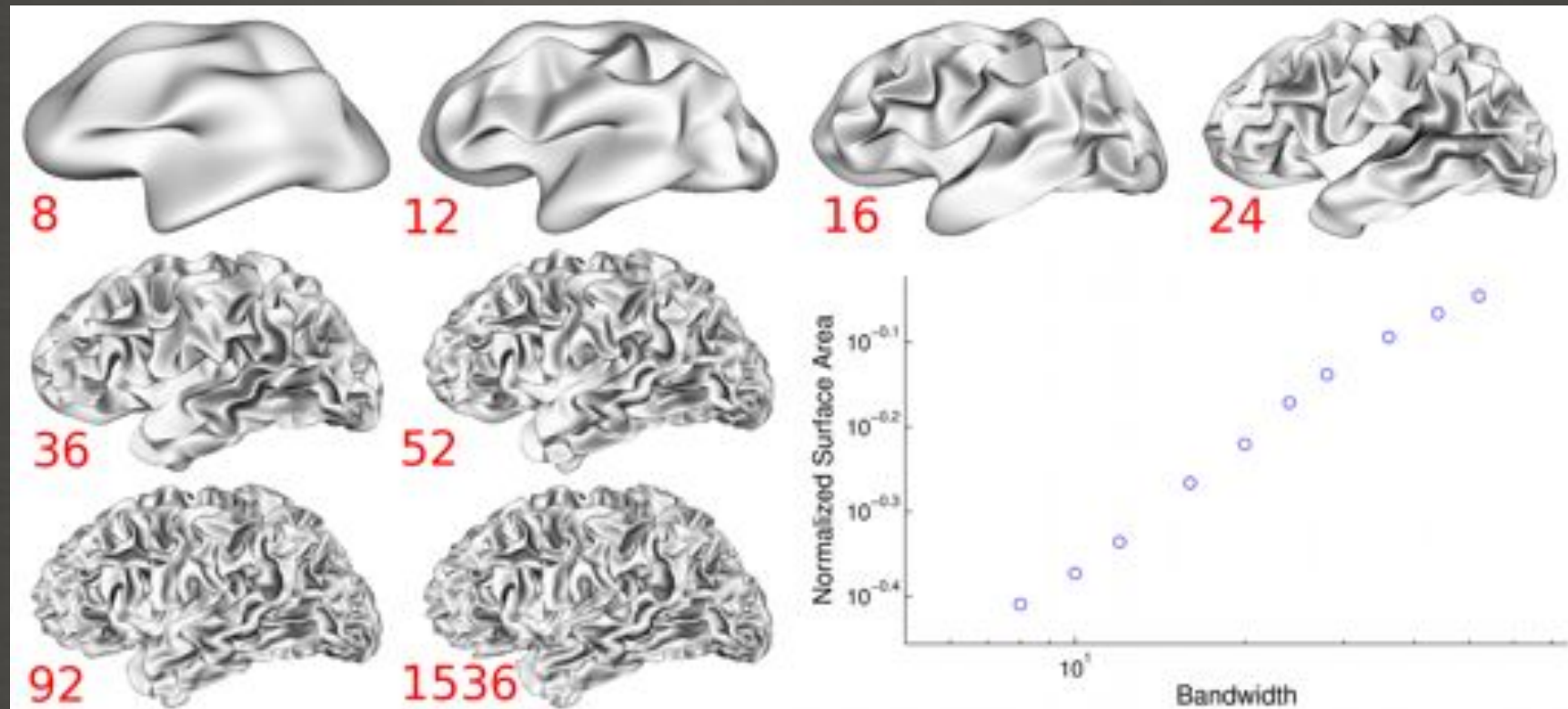
- Solution to Laplace's equation in spherical coordinates
- Essentially a Fourier transform on a spherical surface
- Solution using Legendre polynomials:

$$Y_\ell^m(\theta, \varphi) = N e^{im\varphi} P_\ell^m(\cos\theta),$$

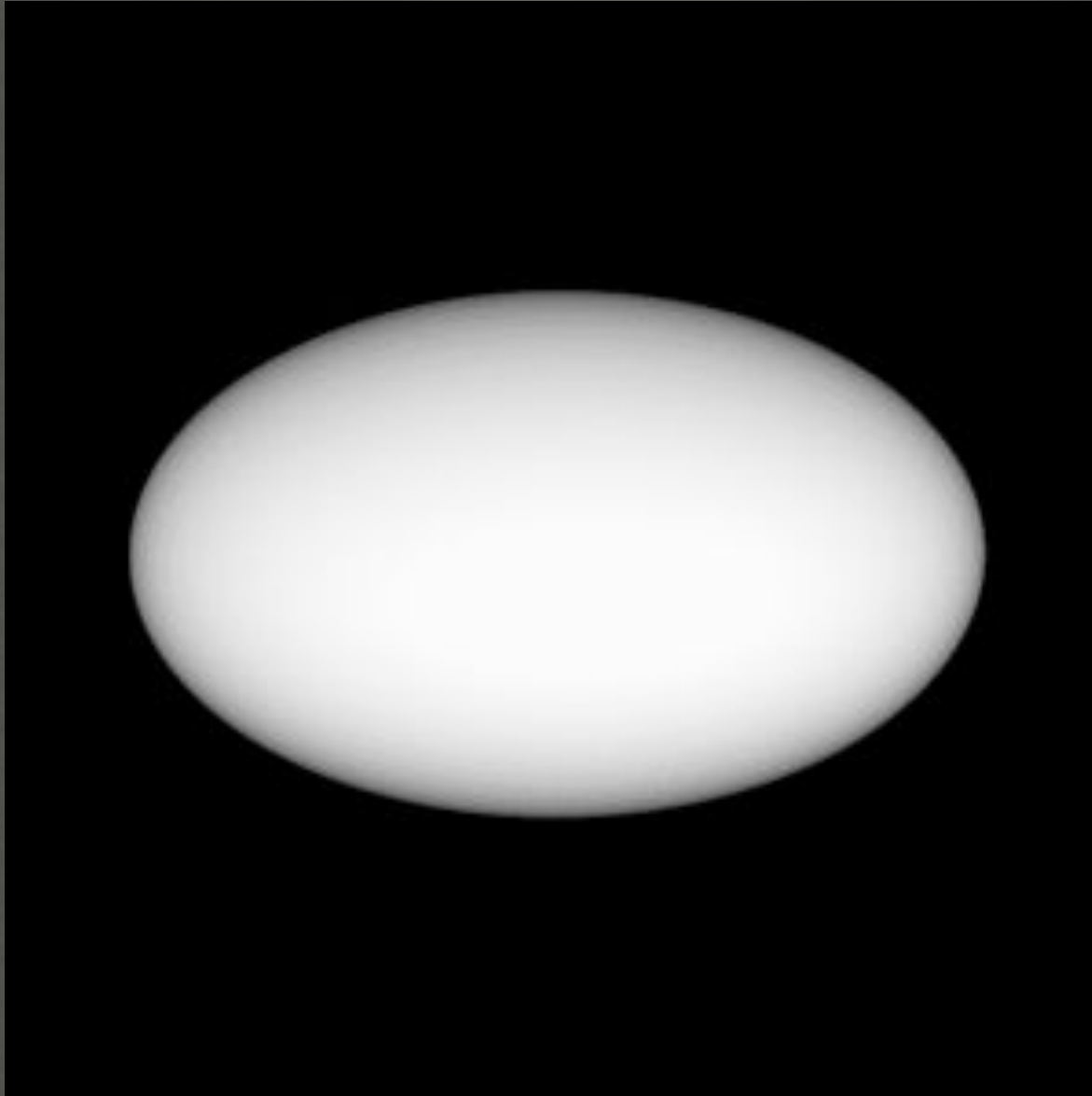
- General solution for ball centered at origin:

$$f(r, \theta, \varphi) = \sum_{\ell=0}^{\infty} \sum_{m=-\ell}^{\ell} f_\ell^m r^\ell Y_\ell^m(\theta, \varphi),$$

Research Highlight: Fractal Dimension



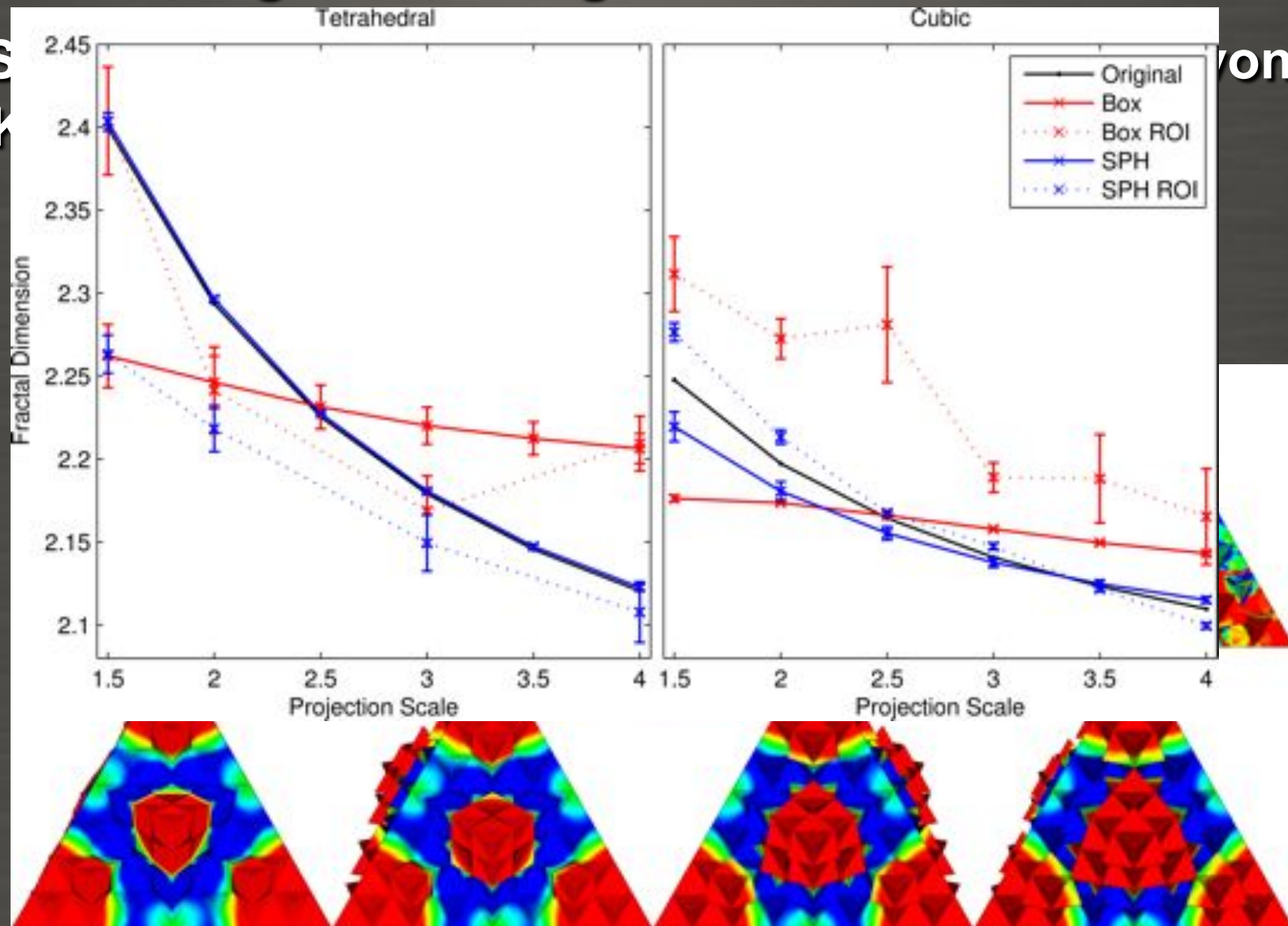
Research Highlight: Fractal Dimension



Research Highlight: Fractal Dimension

1. Local, regional, and global measurements

2. S K

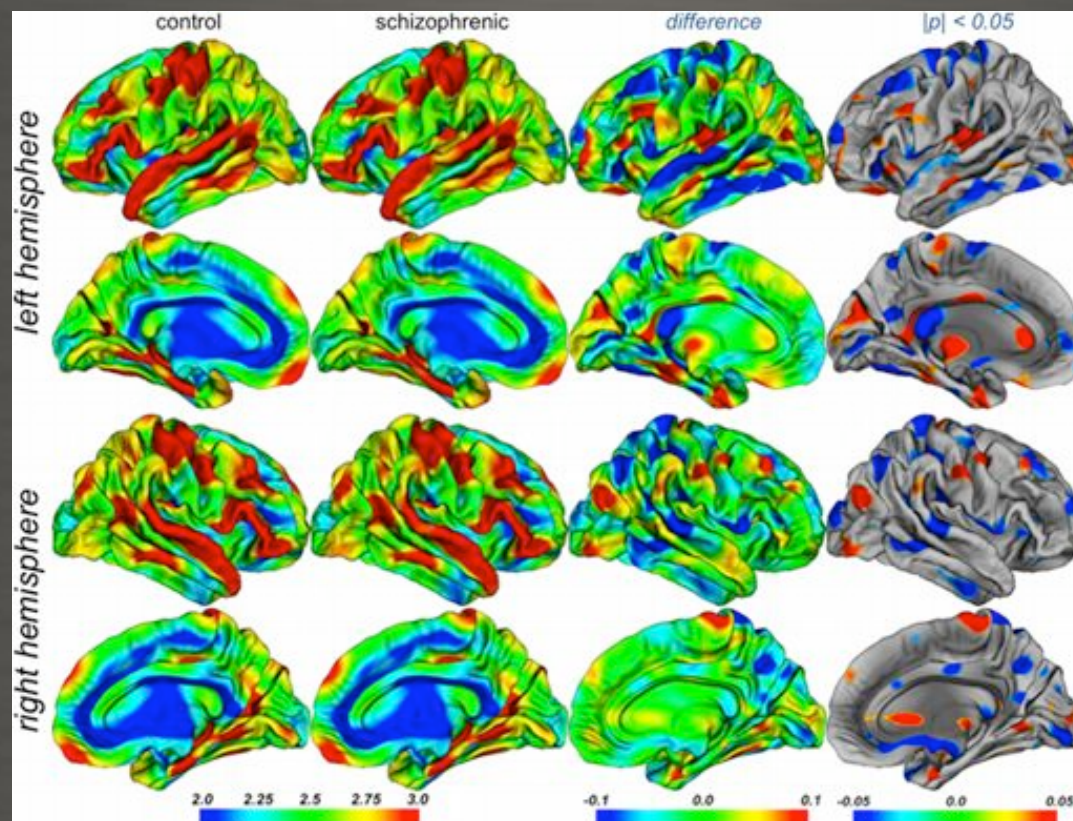


Research Highlight: Fractal Dimension

Application of new method to schizophrenia

Global right hemi < Global left hemi

Otherwise... No significant differences



Research Highlight: Development

Cortical Curvature Analysis of Fetal Data

- Subjects: 21-28 gestational weeks (GW)
- Habas et al., 2011

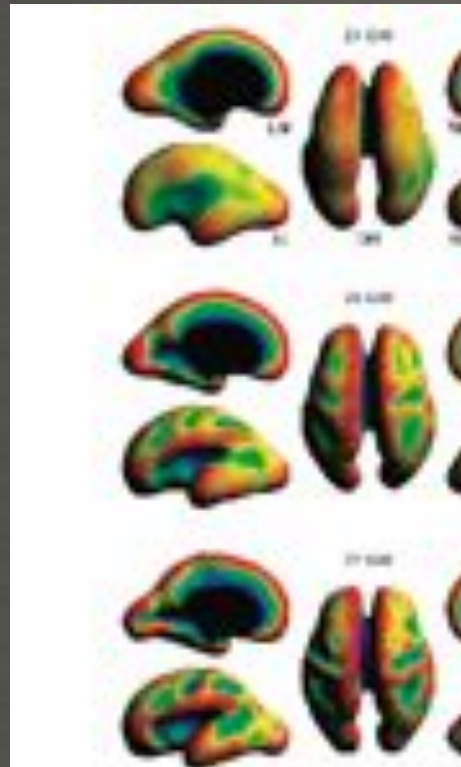


Figure 5. Dorsal (DPL), left medial (LML), left lateral (LLL), and right lateral (RL) views of age-specific maps of T&U indicating regions of the fetal brain surface where the age-specific rate of local folding (K₂) is significantly different from zero at postnatal age 1. All maps are thresholded at significance level $P = 0.05$ (corrected). Warm colors represent regions of significant increases in convexity (forming gyri), and cold colors represent regions of significant increases in concavity (forming sulci).

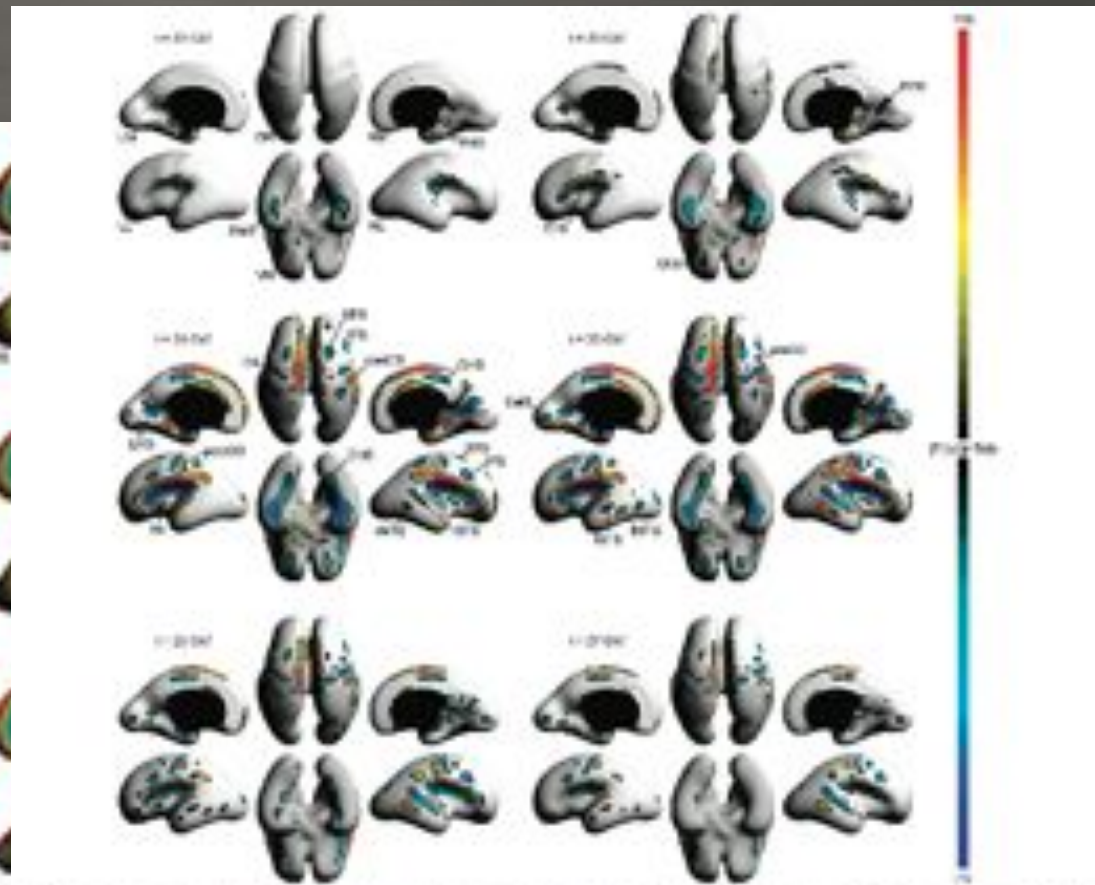
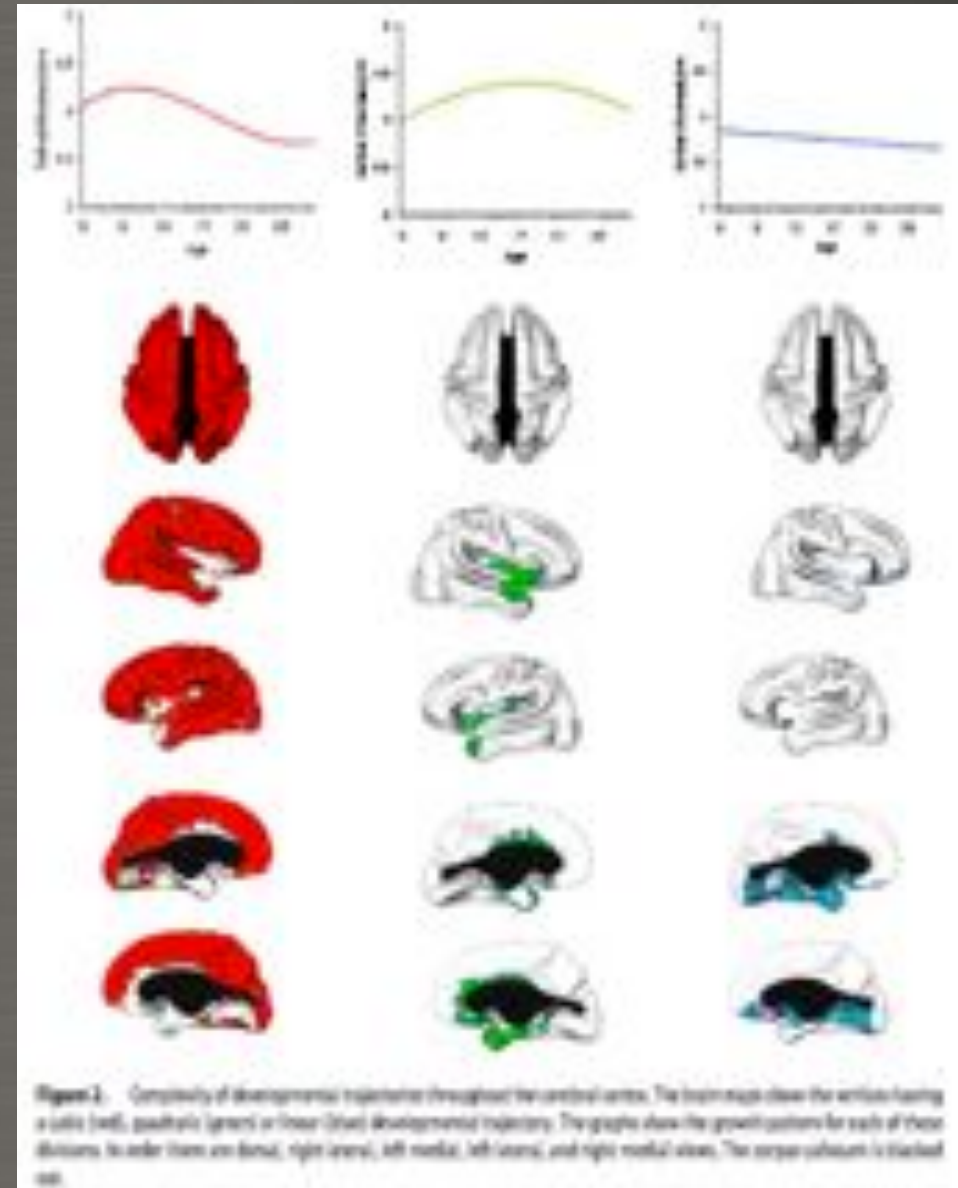


Figure 6. Dorsal (DPL), ventral (VPL), left medial (LML), left lateral (LLL), right medial (RML), and right lateral (RL) views of age-specific maps of T&U indicating regions of the fetal brain surface where the age-specific rate of local folding (K₂) is significantly different from zero at postnatal age 1. All maps are thresholded at significance level $P = 0.05$ (corrected). Warm colors represent regions of significant increases in convexity (forming gyri), and cold colors represent regions of significant increases in concavity (forming sulci).

Research Highlight: Development

Cortical regions have varying development trajectories for GM thickness

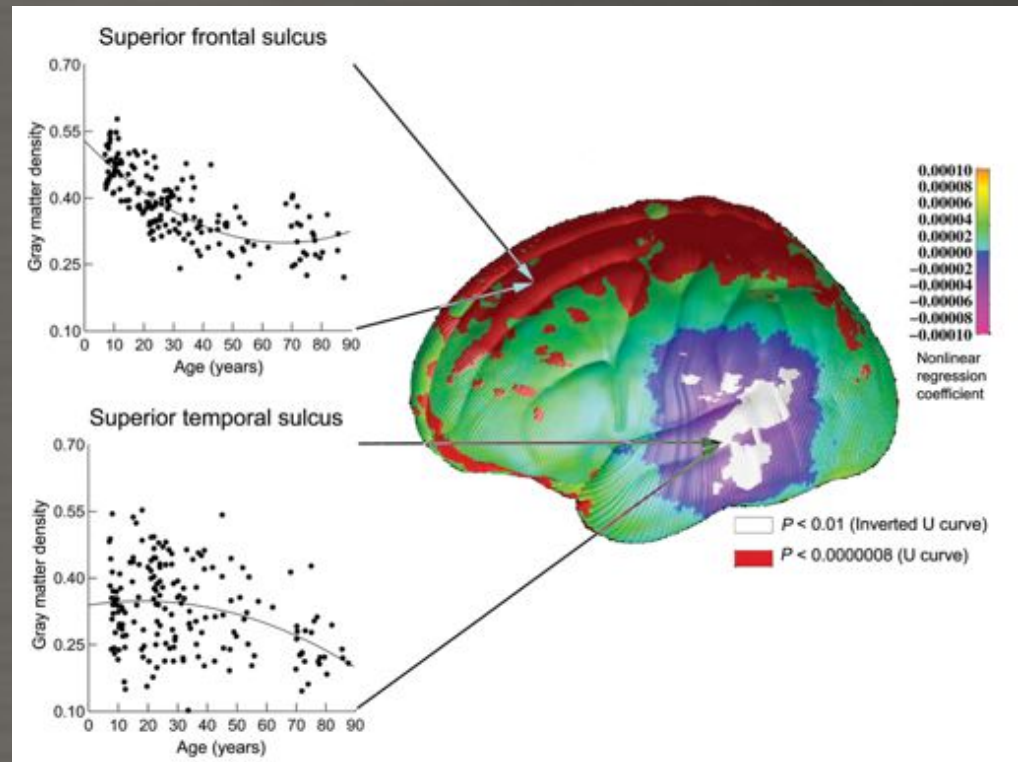
- Subjects: 3.5-33 yo
- Shaw et al., 2008



Research Highlight: Development

In some regions, GM thickness may increase in old age

- Subjects: 7-87 yo
- Sowell et al., 2003



Concluding Remarks

Advantages of Surface Meshes

- Improved registration accuracy
- New analysis approaches; many other possibilities not shown here
- Not discussed here but important: visualization, databases, shape analysis

Future Research Directions

- Especially relevant: application to development and cross-species differences
- Sensitive detection in other realms: schizophrenia, Williams's syndrome, IQ, gender, etc

**Thank you for your
attention!**



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