

Computational Modelling of Auditory Processing in the Brain

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Overview

1. The Problem: A Cacophony of Sound
2. Model of Auditory Cortex and Recent Results
3. Ongoing and Future Pursuits

1. The Problem: a Cacophony of Sound

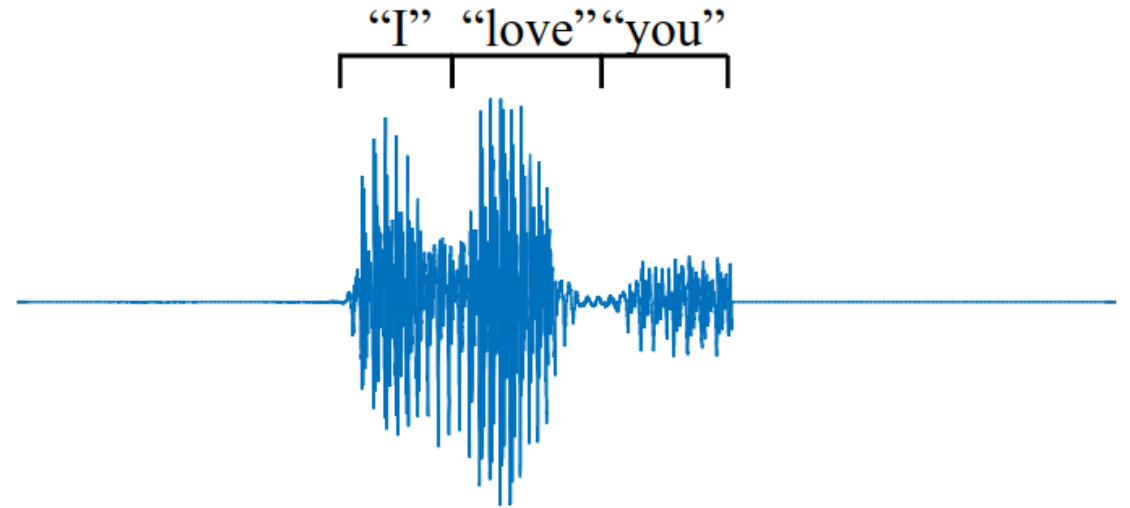
The Complexity of Hearing

- The input signal to the auditory system is a set of two one-dimensional time series, one hitting each ear drum.
- In natural environments, the time series represent the superposition of multiple overlapping sound sources.
- From this time series data the auditory system is able to extract vast amounts of information
 - Separation of sound sources
 - Location of each source in 3D
 - Assignment of meaning to each source

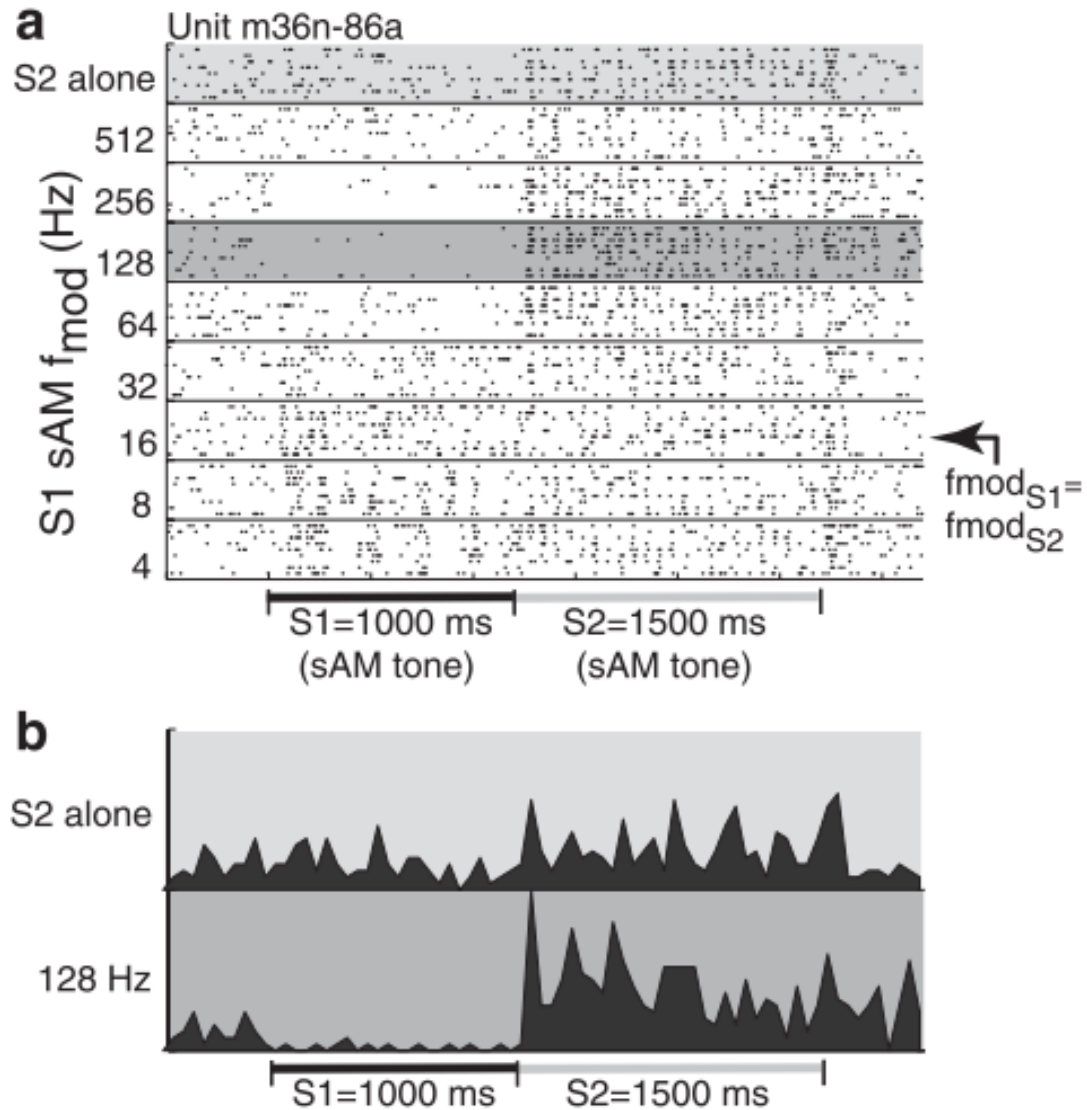


The Problem of Time

- Frequency is represented in tonotopic maps in the auditory system.
- Sound meaning is completely context-dependent.
- How is information integrated over time? Some kind of memory is required, but what?

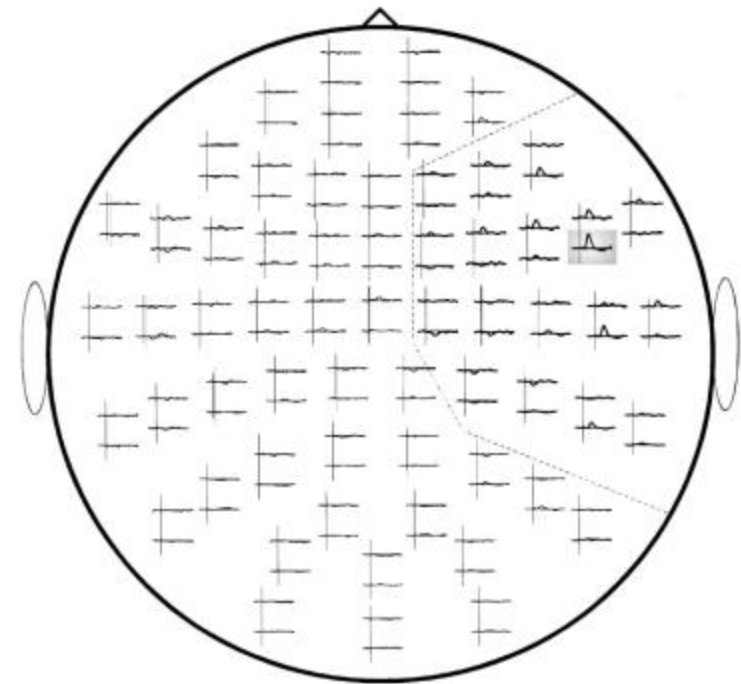


Animal and Human Data

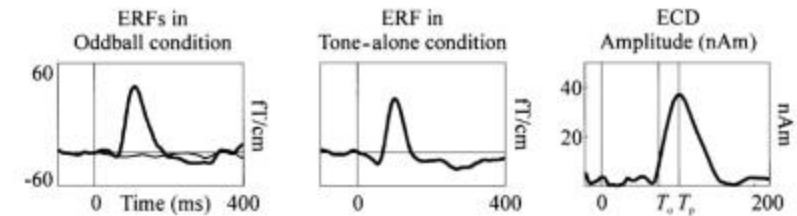


Bartlett & Wang (2005) *J. Neurophysiol.*

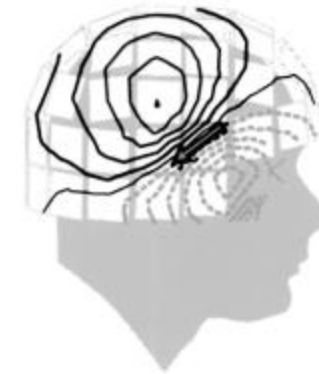
A



B



C



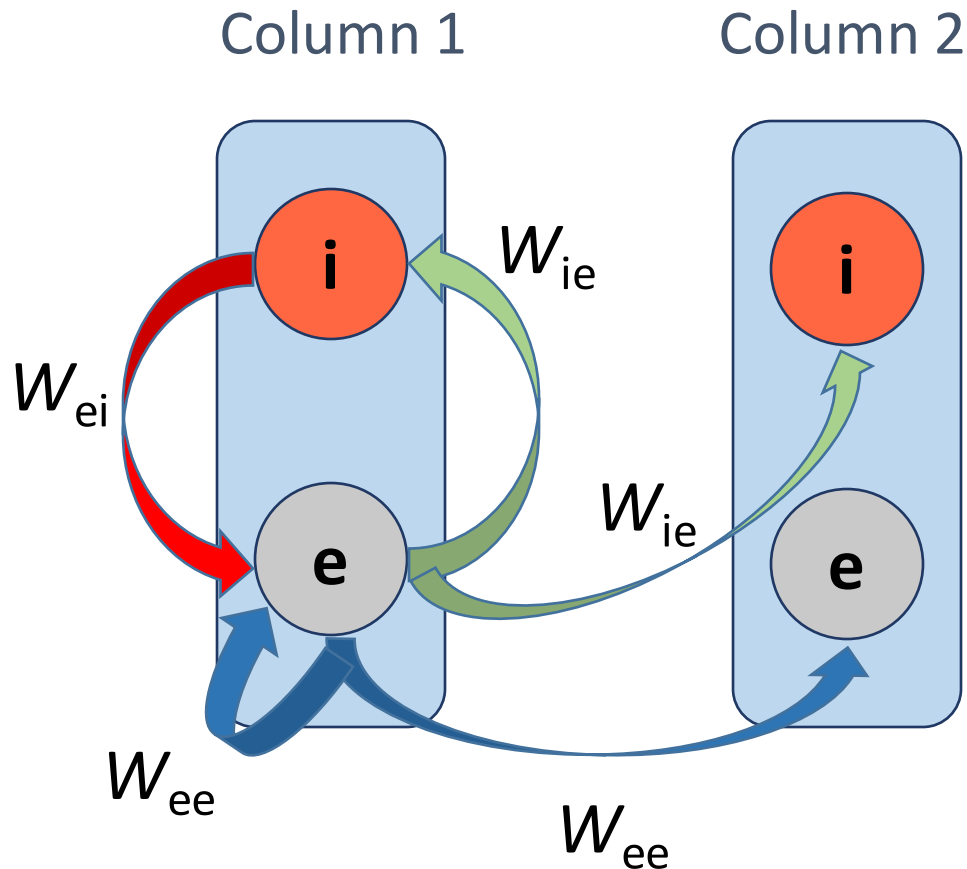
P. May – MMS Days, Berlin, 27 Jan 2016

May et al. (1999) *J. Comput. Neurosci.*

2. Model of Auditory Cortex & Recent Results

The Column: Computational Unit

- The cortex has granular, column structure.
- A column is a complex, local (vertical) collection of neurons which have similar response properties.
- We cut through the complexity, and model the column in the simplest possible way.



i: inhibitory population

e: excitatory population

W_{ee} , W_{ie} , W_{ie}

connectivity matrices

Neural Dynamics

Equations describing neural interactions: LIN firing rate model

Hopfield & Tank, 1986; May et al. 2010, 2013, 2015

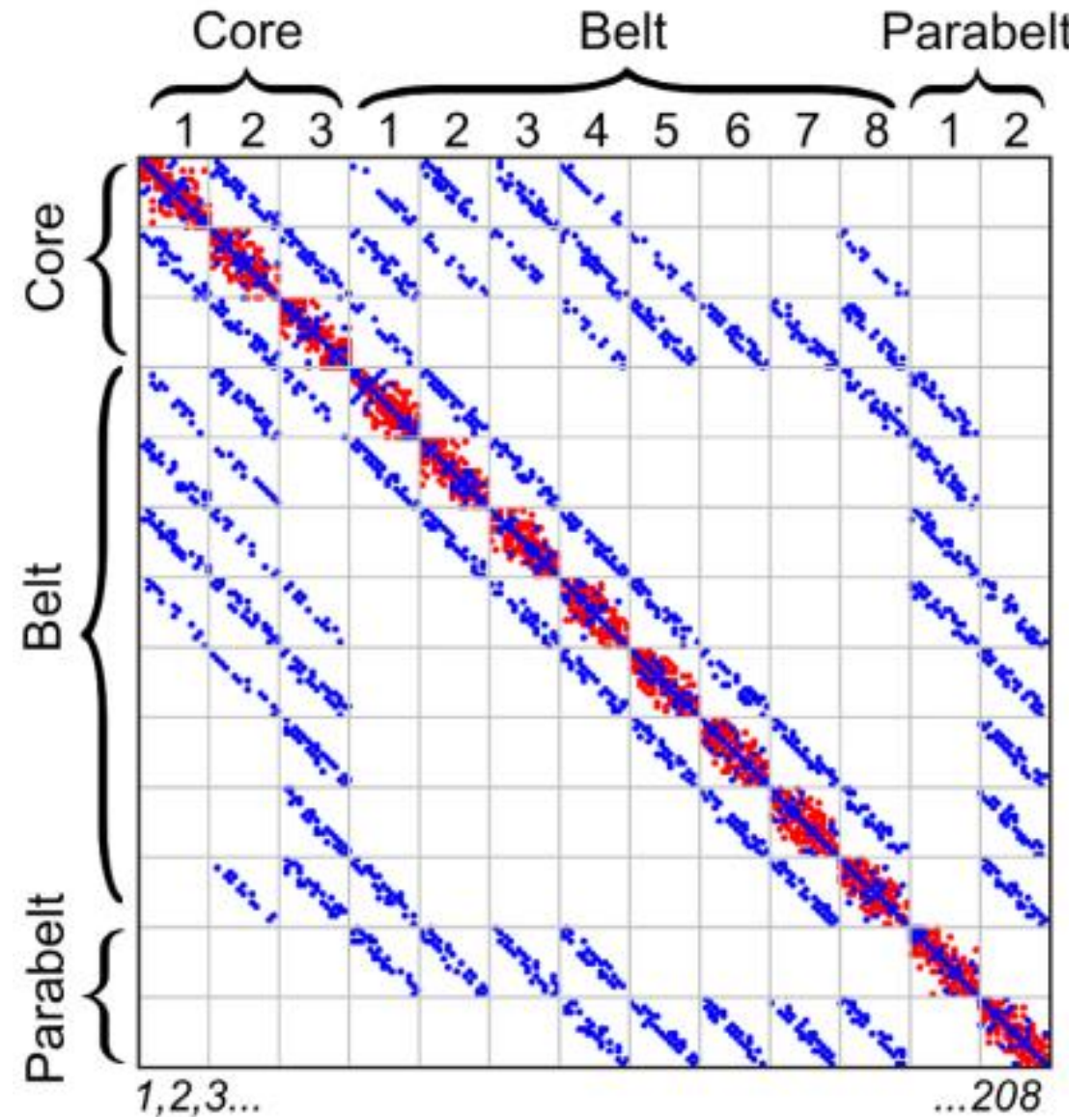
$$\tau_m \frac{d\mathbf{u}(t)}{dt} = -\mathbf{u}(t) + A_{ee}(t) \cdot W_{ee} \cdot g[\mathbf{u}(t)] - W_{ei} \cdot g[\mathbf{v}(t)] + \mathbf{I}_{aff}(t)$$

$$\tau_m \frac{d\mathbf{v}(t)}{dt} = -\mathbf{v}(t) + A_{ie}(t) \cdot W_{ie} \cdot g[\mathbf{u}(t)]$$

\mathbf{u}	state variable of excitatory cell population
\mathbf{v}	state variable of inhibitory cell population
τ_m	membrane time constant
g	firing rate – nonlinear function of \mathbf{u} and \mathbf{v}
\mathbf{I}_{aff}	afferent input from auditory pathway
$W_{ee} \ W_{ie} \ W_{ei}$	connectivity matrices
$A_{ee} \ A_{ie}$	synaptic plasticity (adaptation) terms
t	time

Model Construction

- AC has multiple fields (each defined by tonotopic map)
- Multiple *Core-Belt-Parabelt* streams: feedforward activation progresses *serially* from core to belt to parabelt fields along many, *parallel* routes.
- This structure can be translated into the weight matrices W_{ee} , W_{ie} , and W_{ei}



Simulations

Major advantage over real experiments: Modelling allows us to simulate non-invasive MEG (summed activity of columns) and to simultaneously observe “invasive” activity on the single-column level.

Single-column (firing rate) observations:

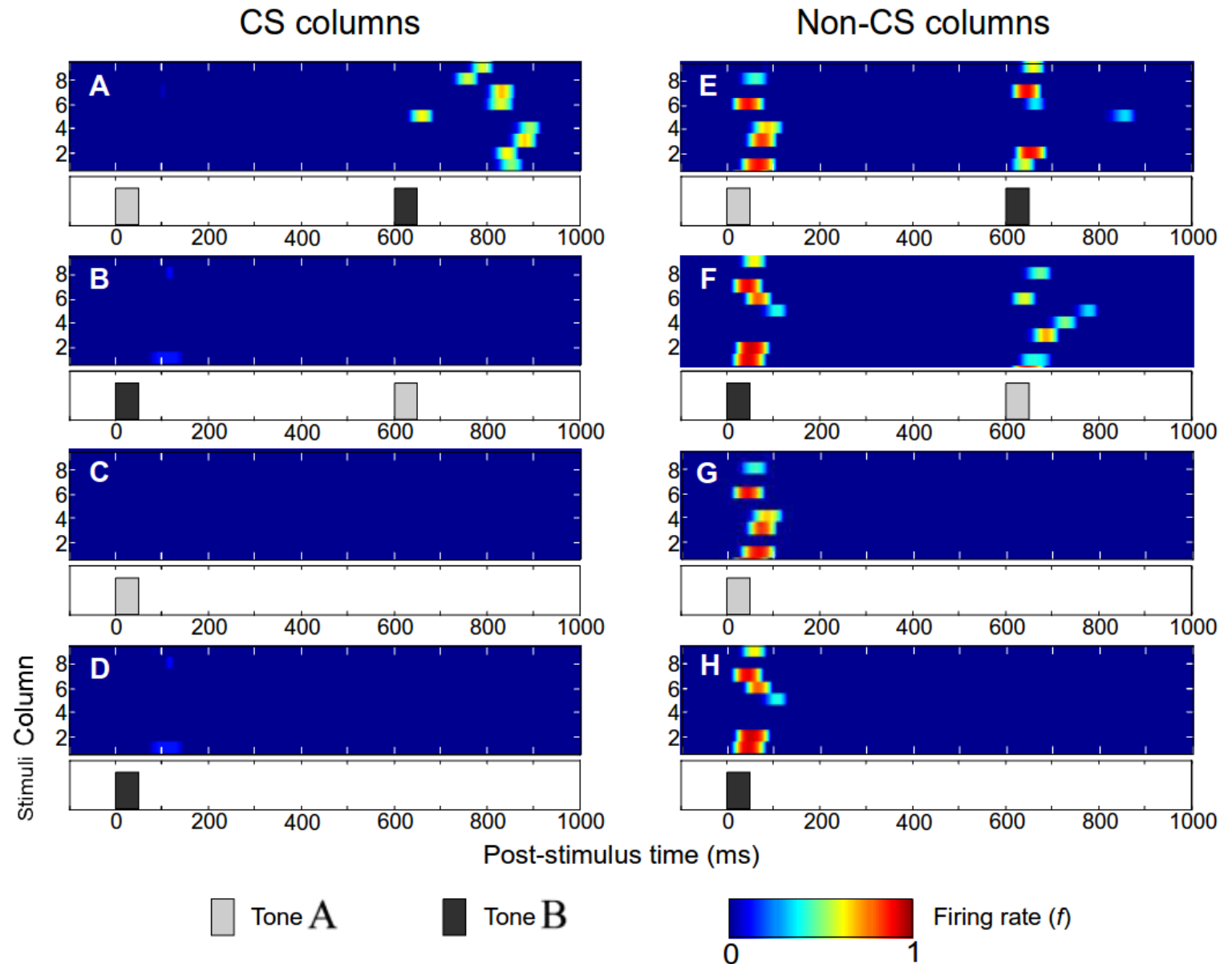
- **Forward masking:** stimulus repetition leads to suppressed responses.
- **Stimulus-specific adaptation (SSA):** response recovery by stimulus change (i.e., suppression is not generalized).
- **Two-tone facilitation:** With AB tone pairs, response to tone B is enhanced if preceded by tone A
- **Temporal integration:** tuning to the temporal structure of tone sequences, speech stimuli, and monkey calls.

MEG (summed activity) observations:

- **Adaptation:** stimulus repetition leads to suppressed responses.
- **Mismatch responses:** Statistical structure of stimulation is reflected in response amplitude.
- **Temporal integration:** mismatch responses also when tones are replaced by more complex stimuli.
- These MEG effects can be traced back to single-column behaviour

Temporal Binding of Tone Pairs

- Columns are tuned to the temporal structure of stimulation.
- **Combination sensitivity (CS)**: selectivity to pair AB vs. (1) reversed pair BA, (2) isolated tones (A or B).
- This phenomenon has mystified auditory neuroscientists.
- Explanation: CS is due to synaptic depression (adaptation) and the serial structure of AC (May & Tiitinen, 2013; May et al. 2015).
- Similar CS for four-tone sequences, speech sounds, & monkey calls

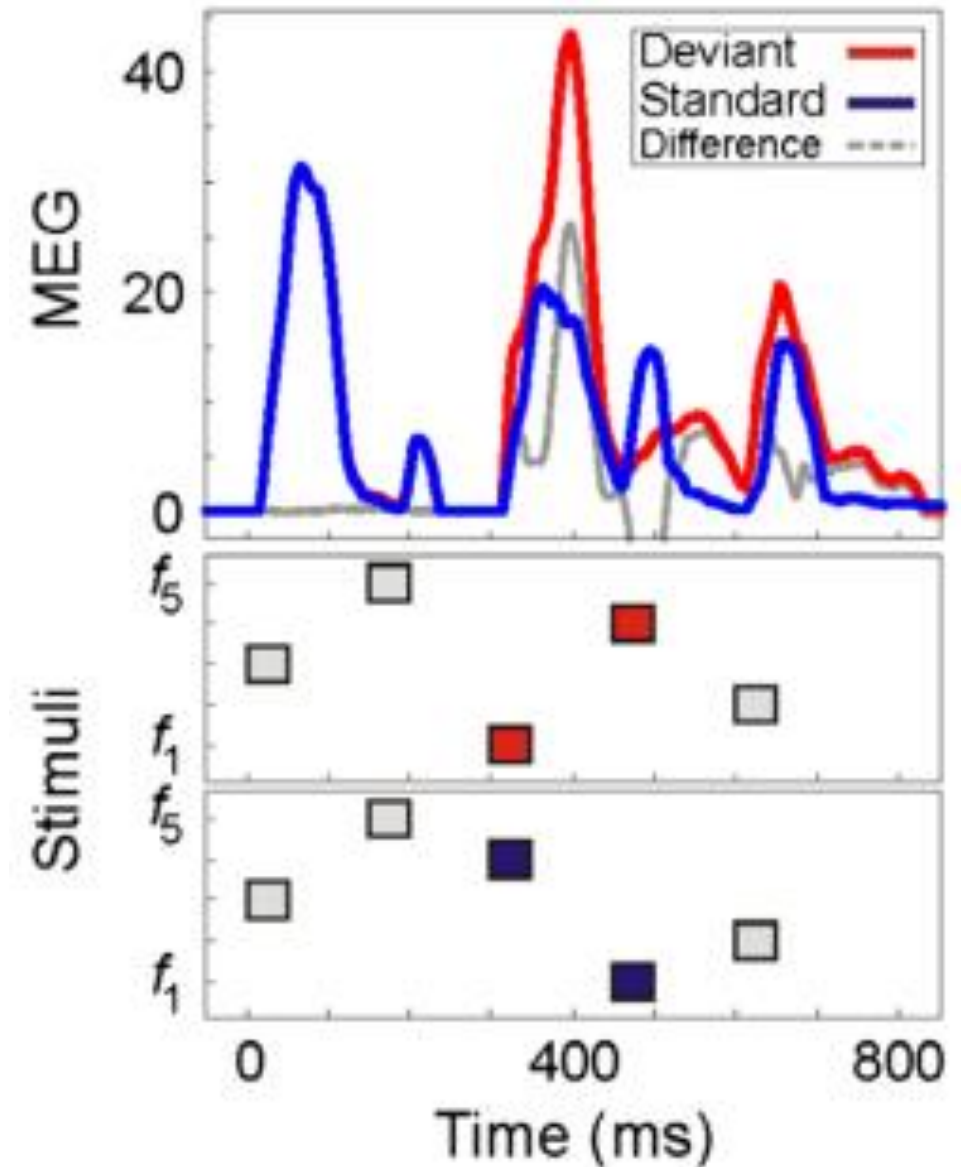


MEG Examples

- Presenting a stimulus (A) repeatedly leads to attenuated MEG responses
- When the series of repeated stimuli is interrupted by a stimulus with a different structure (B), the MEG response is much larger.

A A A A A A B A A A A A A A B A A A A A B A ...

- This phenomenon is the so-called mismatch response, and its neural origins have been hotly debated for two decades.
- Our computational approach has provided an adaptation-based explanation which replaces a previous, more complex, information-processing models (May & Tiitinen, 2010).



3. Ongoing and Future Pursuits

Analytical Approach

$$\tau_m \frac{d\mathbf{u}(t)}{dt} = -\mathbf{u}(t) + A_{ee}(t) \cdot W_{ee} \cdot g[\mathbf{u}(t)] - W_{ei} \cdot g[\mathbf{v}(t)] + \mathbf{I}_{aff}(t)$$

Analytical Approach

Linearization (slow adaptation, quasi-static)

$$\ddot{\mathbf{u}}(t) + 2\Gamma\dot{\mathbf{u}}(t) + \Omega_0^2\mathbf{u}(t) = \mathbf{q}(t)$$

$$\frac{\widetilde{W}_{ei}\widetilde{W}_{ii}\widetilde{W}_{ei}^{-1} - \widetilde{W}_{ee}}{2} = \Gamma$$

$$\widetilde{W}_{ei}\widetilde{W}_{ie} - \widetilde{W}_{ei}\widetilde{W}_{ii}\widetilde{W}_{ei}^{-1}\widetilde{W}_{ee} = \Omega_0^2$$

$$\widetilde{W}_{ei}\widetilde{W}_{ii}\widetilde{W}_{ei}^{-1}\mathbf{I}_e(t) - \widetilde{W}_{ei}\mathbf{I}_i(t) + \dot{\mathbf{I}}_e(t) = \mathbf{q}(t)$$

Diagonalization & Uncoupling

$$\Upsilon\Gamma_d\Upsilon^{-1} = \Gamma \quad \text{damping}$$

$$\mathbf{u}_d(t) = \Upsilon^{-1}\mathbf{u}(t) \quad \text{uncoupling}$$

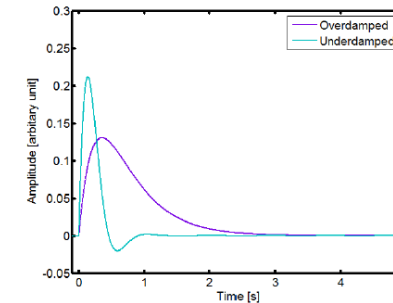
$$\Upsilon\Omega_{0_d}^2\Upsilon^{-1} = \Omega_0^2 \quad \text{normal frequency}$$

$$\ddot{\mathbf{u}}_d(t) + 2\Gamma_d\dot{\mathbf{u}}_d(t) + \Omega_{0_d}^2\mathbf{u}_d(t) = \mathbf{q}_d(t)$$

Solution: normal modes are damped oscillators

$$u_d(t) = \exp(-\gamma_d t)(a_{u_d} \sin(\delta_d t) + b_{u_d} \cos(\delta_d t)) + f_{u_d}$$

$$\begin{cases} a_{u_d} = \frac{w_{ei}\gamma_d}{\omega_{0_d}^2\delta_d}I_i(t) + \frac{\omega_{0_d}^2 + w_{ei}w_{ie}w_{ii}^2}{2\omega_{0_d}^2\delta_d}I_e(t) + \frac{w_{ii} + w_{ee}d}{2\delta_d}u_0 - \frac{w_{ie}}{\delta_d}v_0 \\ b_{u_d} = \frac{w_{ei}}{\omega_{0_d}^2}I_i(t) - \frac{w_{ii}}{\omega_{0_d}^2}I_e(t) + u_0 \\ f_{u_d} = -\frac{w_{ei}}{\omega_{0_d}^2}I_i(t) + \frac{w_{ii}}{\omega_{0_d}^2}I_e(t), \end{cases}$$

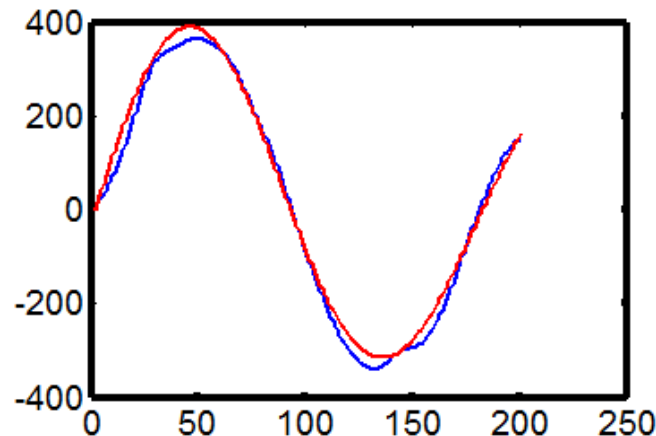
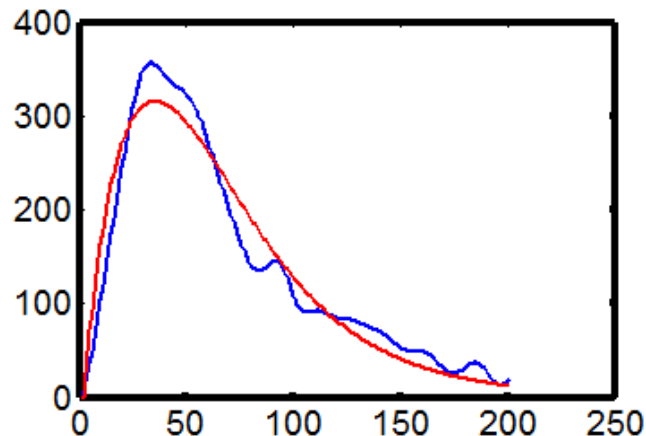
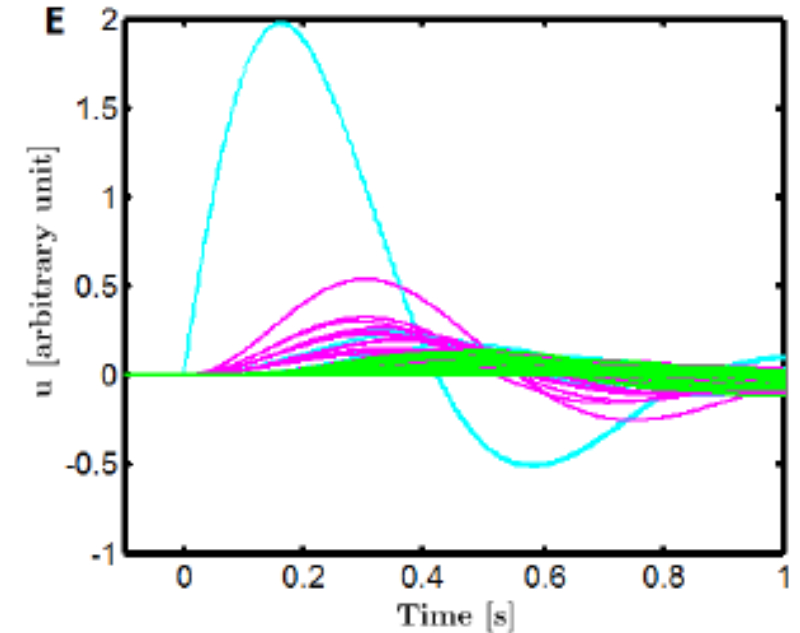


Coupling: linear combination of normal modes, can explain any waveform

$$\mathbf{u}(t) = \Upsilon\mathbf{u}_d(t)$$

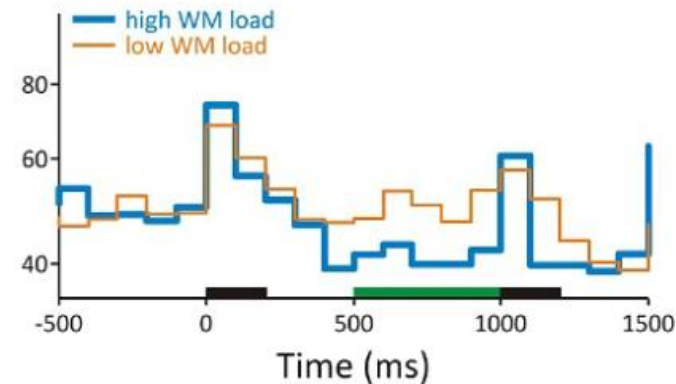
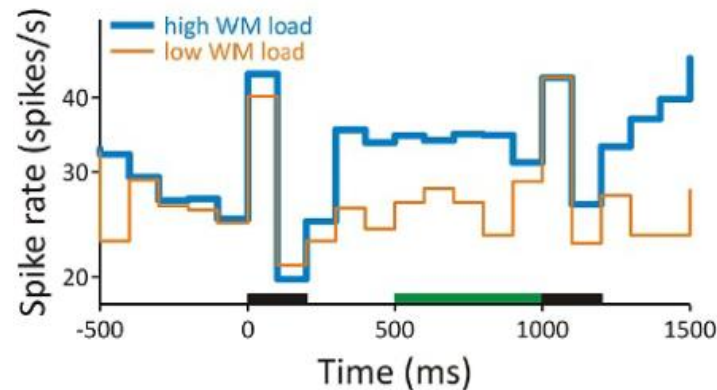
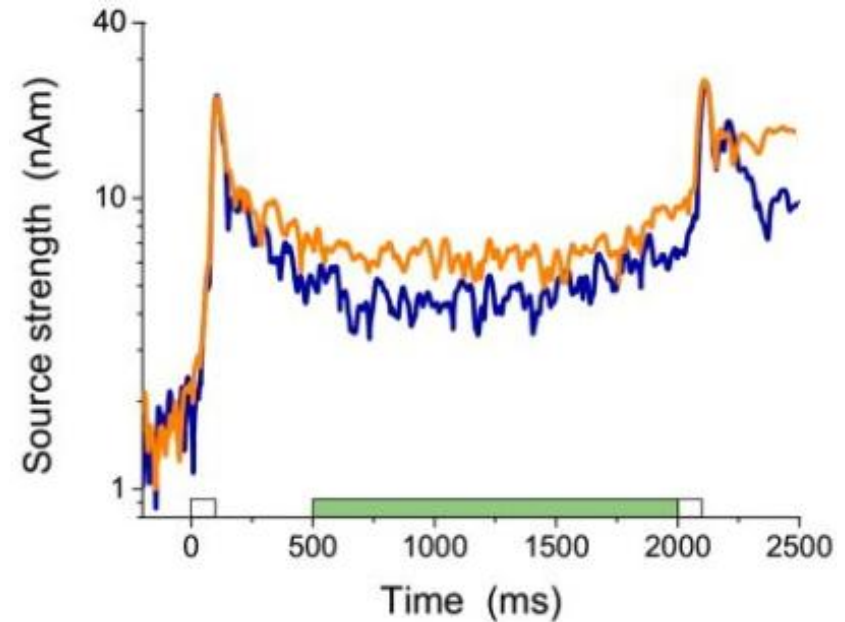
Analytical Approach

- Fast, precise, memory efficient
- Well defined dynamical building blocks -> allows the study of damping, oscillations, resonances
- Coupling -> allows the study of hierarchical (core-belt-parabelt) activations on the single-column level
- Approximates MEG data well.



Other Ongoing Projects

- Working memory experiments: Linking human and monkey results in cognitive tasks
- Extension of the model to subcortical processing (using rat model)
- Modelling auditory scene analysis: separating sound sources from each other



Conclusions

- We are studying the auditory system in a computational model based on the anatomical structure of auditory cortex.
- The motivation is to link single-cell observations with MEG
- The model provides explanations for several basic phenomena in auditory neuroscience which have lacked an explanation.
- Fast (firing rate) and slow (synaptic plasticity, adaptation) dynamics coupled with serial structure of auditory cortex seems to be the explanation.
- We are still a long way from understanding what goes on at a cocktail party.

Thank You